

# Finite Element Flow Simulations of the EUROLIFT DLR-F11 High Lift Configuration

**Dr. Kedar Chitale**

Ph.D., Aerospace Engineering

**Jeff Martin**

Research Assistant,  
Aerospace Engineering

**Dr. Michel Rasquin**

Postdoctoral Scholar,  
Argonne National Lab

**Dr. Kenneth Jansen**

Professor, Aerospace Engineering

**University of Colorado at Boulder, CO**

- ❑ Study grid convergence and Reynolds number effect
- ❑ Compare adaptive refinement to manual refinement

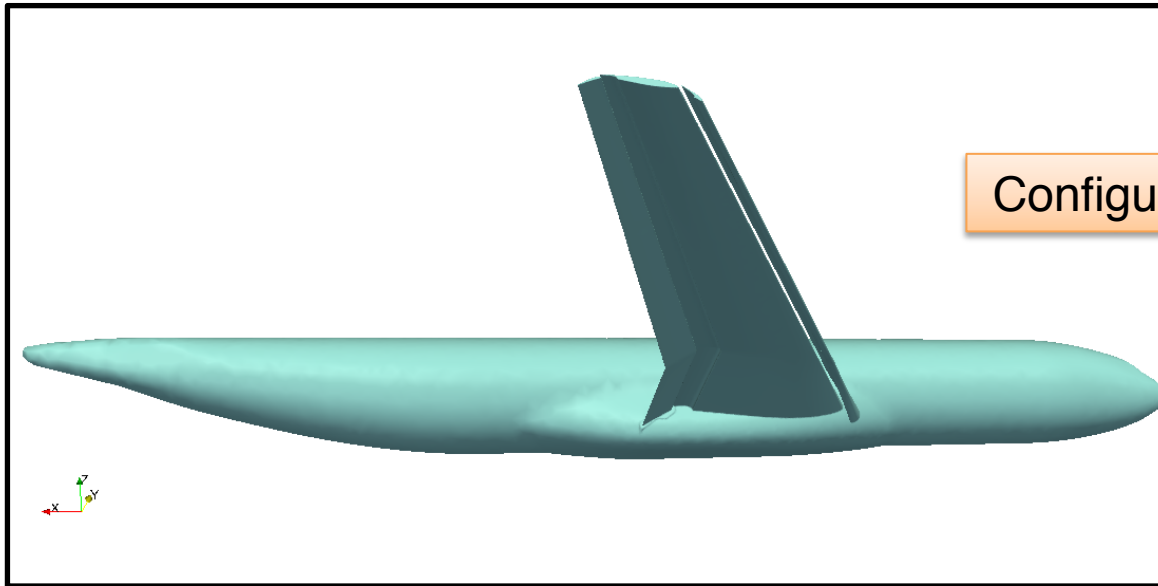
## Outline

- ❑ Introduction to solver and adaptivity
- ❑ Results
  - Case 1
  - Case 2a and 2b
- ❑ Future work

- PHASTA (Parallel Hierarchic Adaptive Stabilized Transient Analysis)
- SUPG with piecewise linear finite elements (has support for higher order elements)
- Can solve incompressible and compressible Navier-Stokes equations
- Turbulence models: RANS-SA, LES, DES, VMS
- Generalized- $\alpha$  implicit time integrator
- GMRES linear algebra solver
- Block diagonal pre-conditioner
- Highly scalable! Shown to scale up to 3M MPI processes for a 92 billion tetrahedral element mesh for a rudder geometry

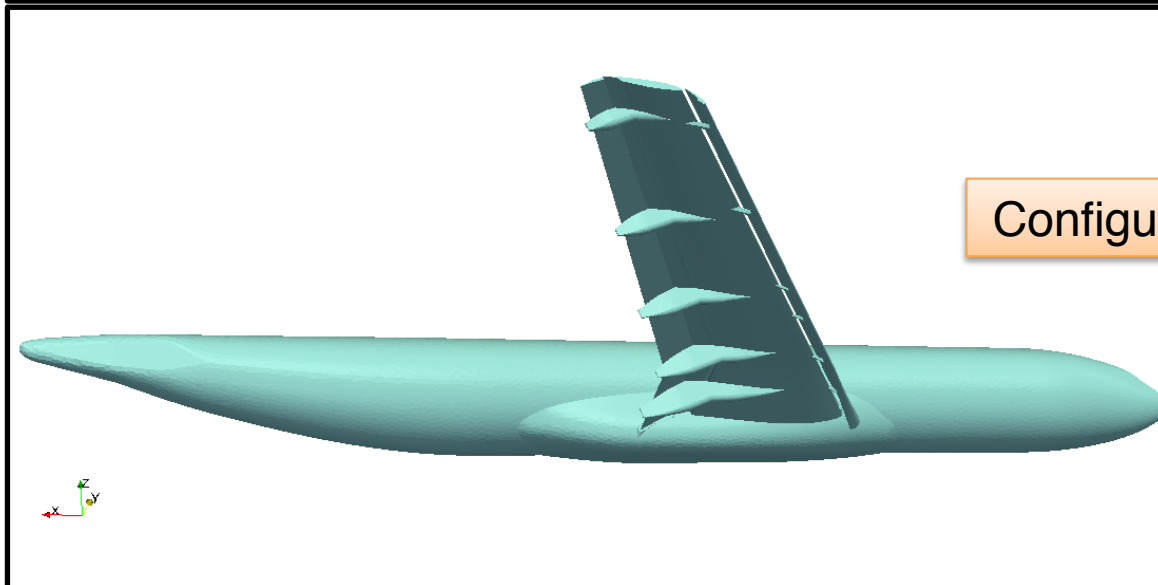
- Adaptation can be useful to automatically get required resolution in specific areas of interest.
- Need to adapt inside the boundary layer as well -> need to alter the surface mesh AND improve the geometric approximation.
- Boundary layers adapted except in the thickness direction.
- A combined approach of PDE residuals for smallest mesh spacing and Hessians for relative scales and directions was used.
- Simmetrix Inc.'s boundary layer mesh adaptation software was used





Configuration 2

Case 1



Configuration 4

Case 2a  
Case 2b

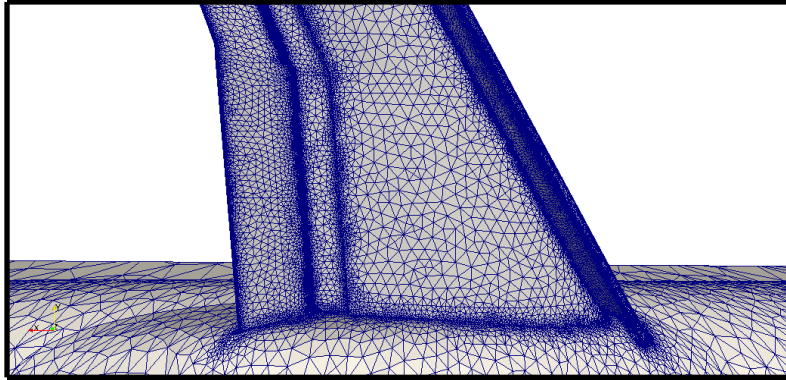
# Case 1: Description



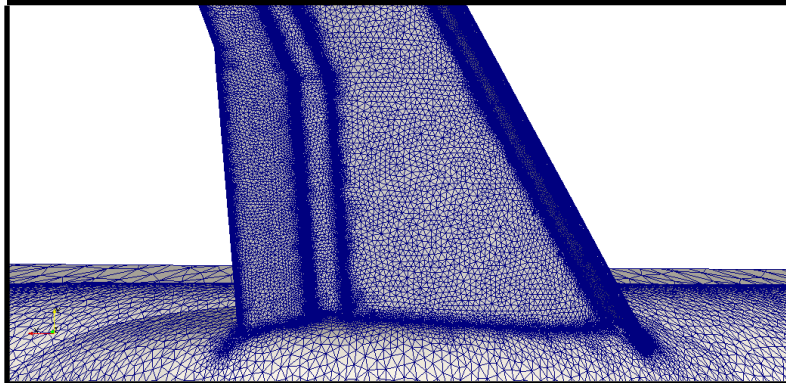
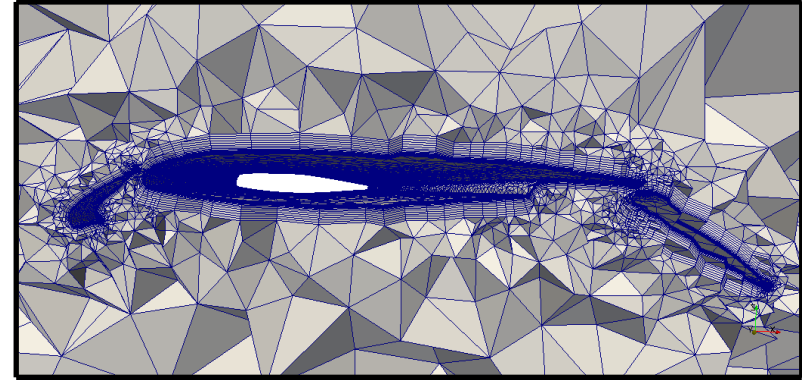
- Angles of attack:  $7^\circ$  and  $16^\circ$
- Meshes:
  - Created in-house using gridding guidelines given online
  - Unstructured, with mixed element boundary layers
  - Created using MeshSim software by Simmetrix Inc.
- Mesh statistics:

<b>Meshes</b>	<b># elements</b>	<b># nodes</b>	<b>First cell height (m)</b>
Coarse	32.2M	13.5M	$5.5e-7$
Medium	91.5M	37.3M	$3.7e-7$
Fine	287.9M	112.9M	$2.4e-7$

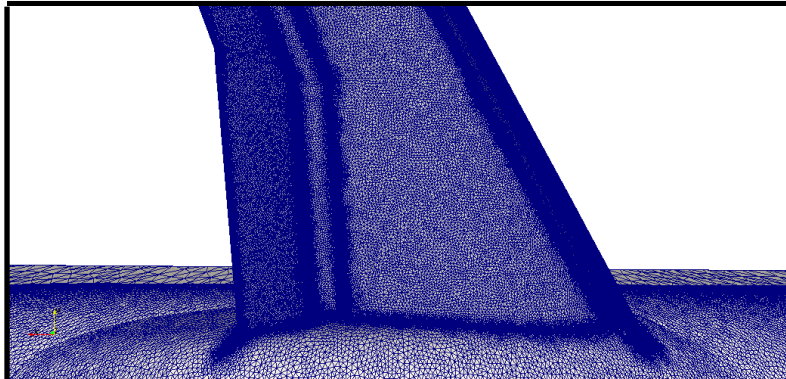
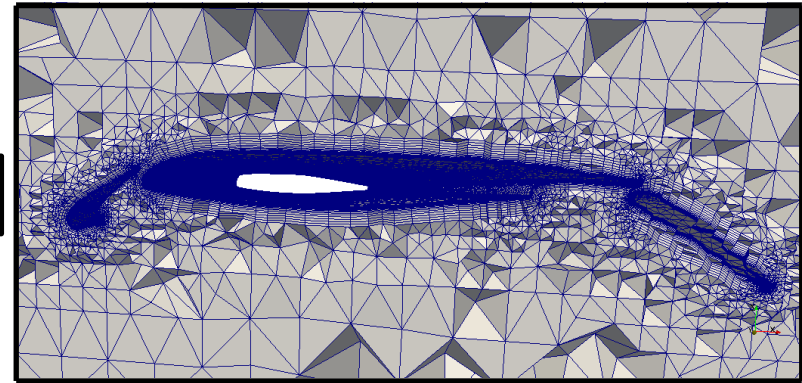
# Case 1: Meshes



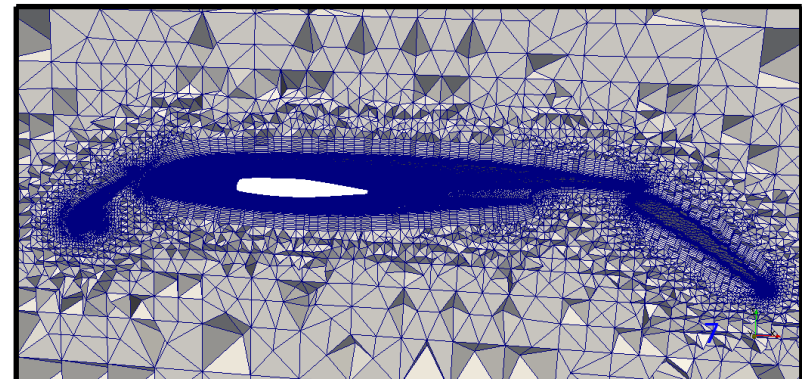
Coarse



Medium

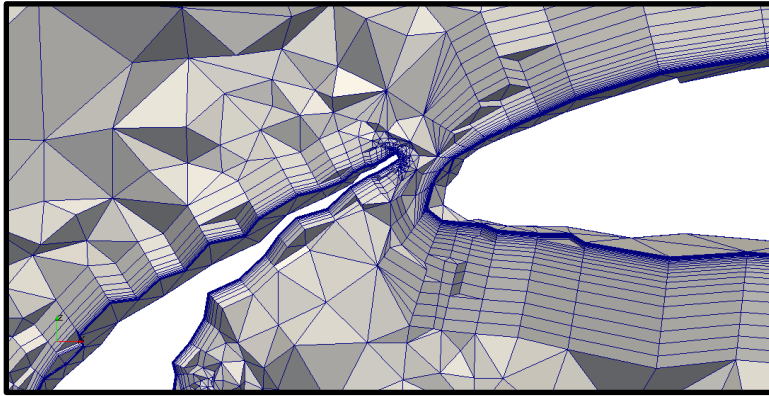


Fine

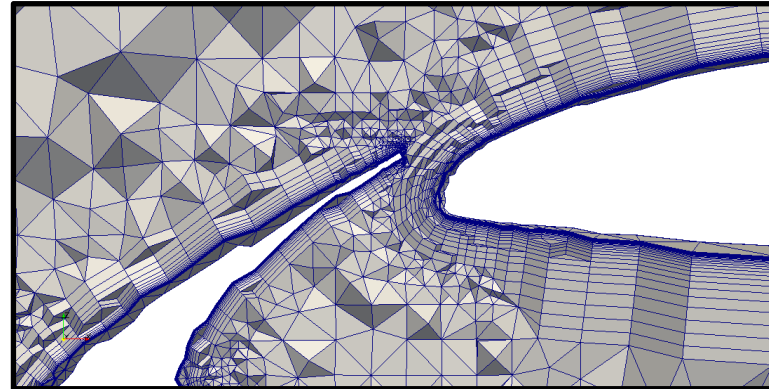
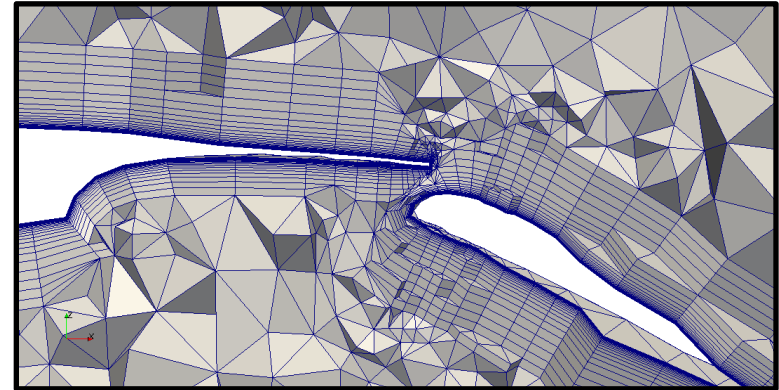




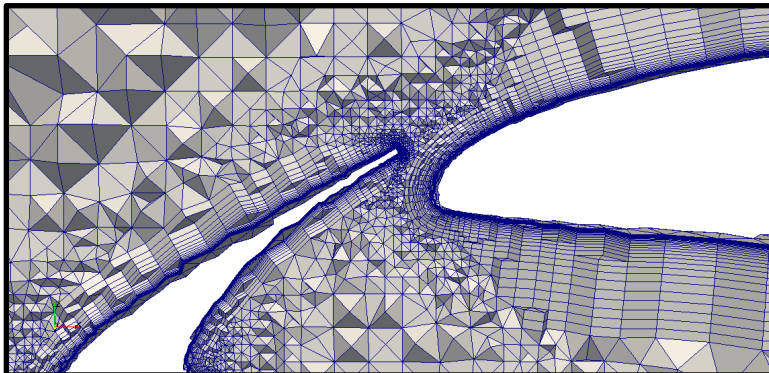
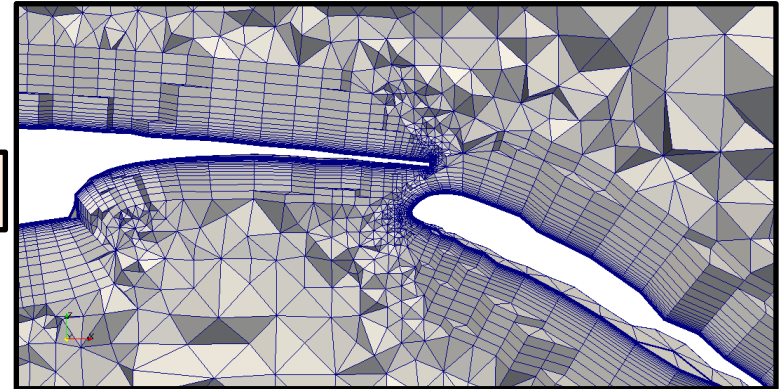
# Case 1: Meshes



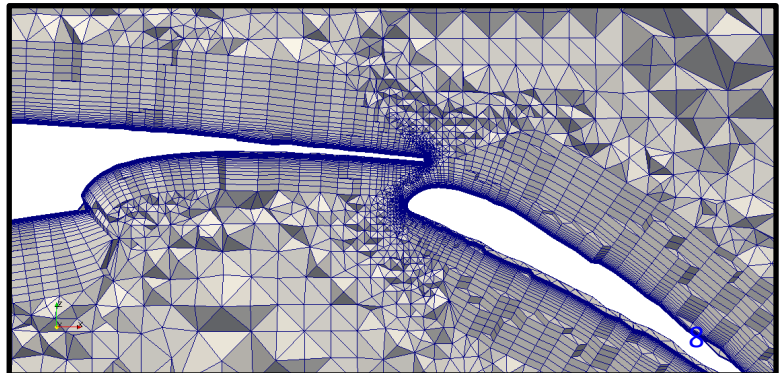
Coarse



Medium



Fine



# Case 1: Adaptivity

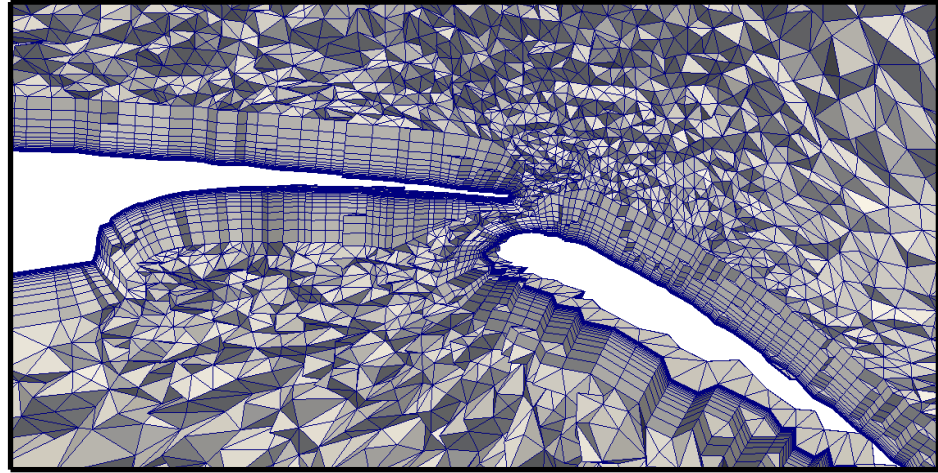
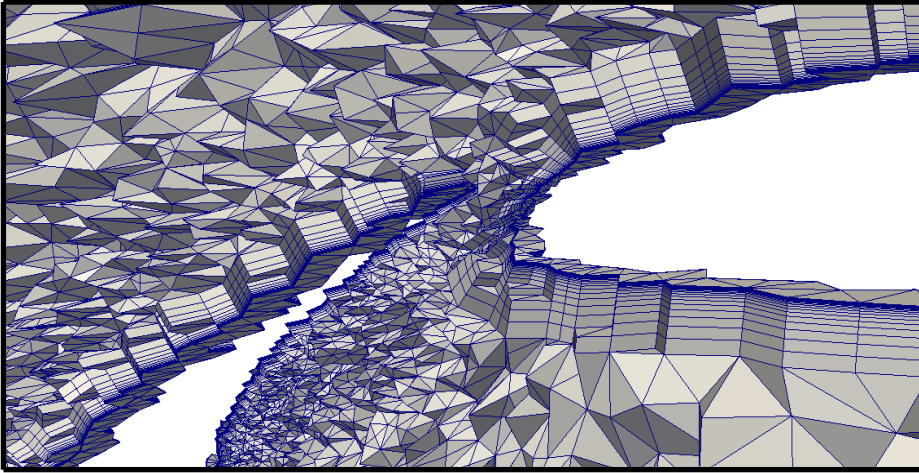


- One adaptivity pass was achieved on an **extra coarse mesh** to get comparable mesh to the coarse mesh

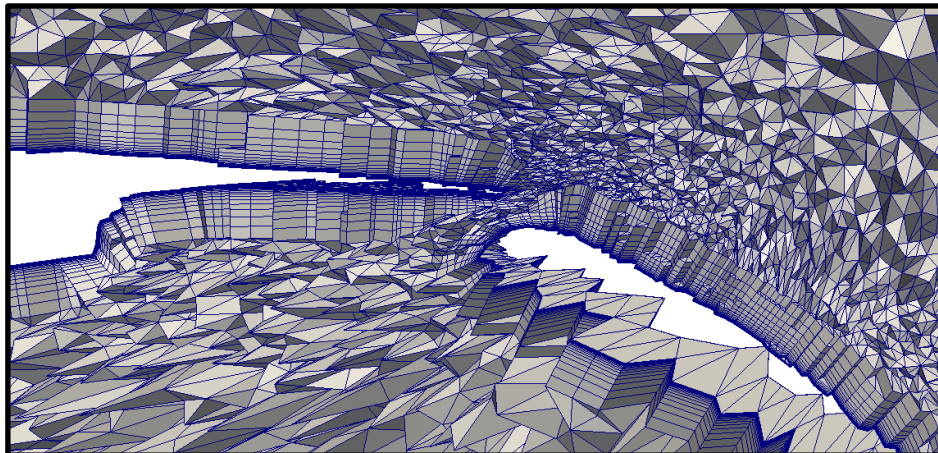
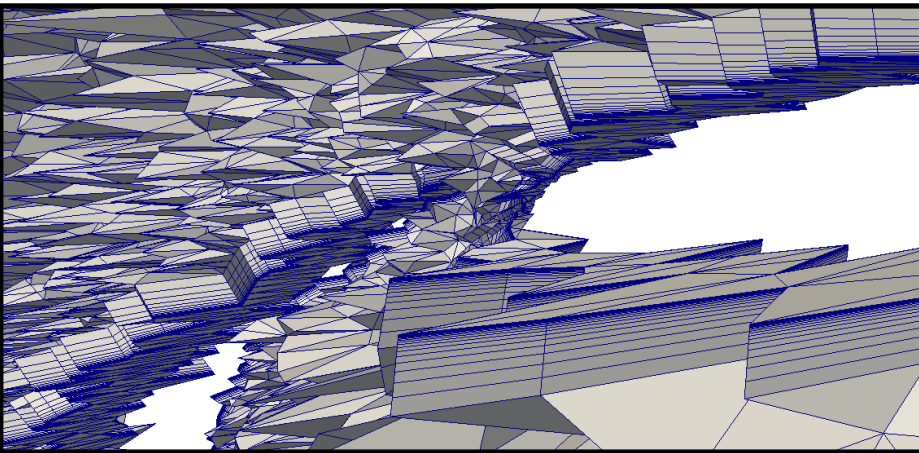
Mesh	# elements	# nodes	First cell height (m)
Adapted (7°)	40.7M	14.1M	5.5e-7
Adapted (16°)	35.1M	12.0M	5.5e-7

- Need to perform parallel adaptation further since the problem size is high -> not done in this study.

# Case 1: Meshes



Zooms of the adapted mesh (7°)



Zooms of the adapted mesh (16°)

# Case 1: Computational Details



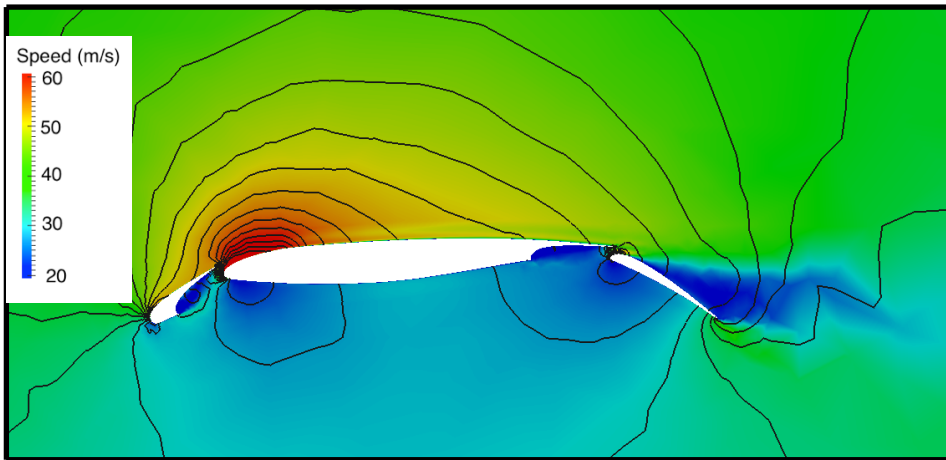
- Turbulence model: RANS Spalart-Allmaras
- Solved as time accurate
- Simulations performed on Janus supercomputer (UC Boulder) an Mira BG/Q (ANL)

Mesh	# cores	# elements/core
Coarse	1.8k	17930
Medium	32k	2790
Fine	64k	4390
Adapted	3.6k	10100

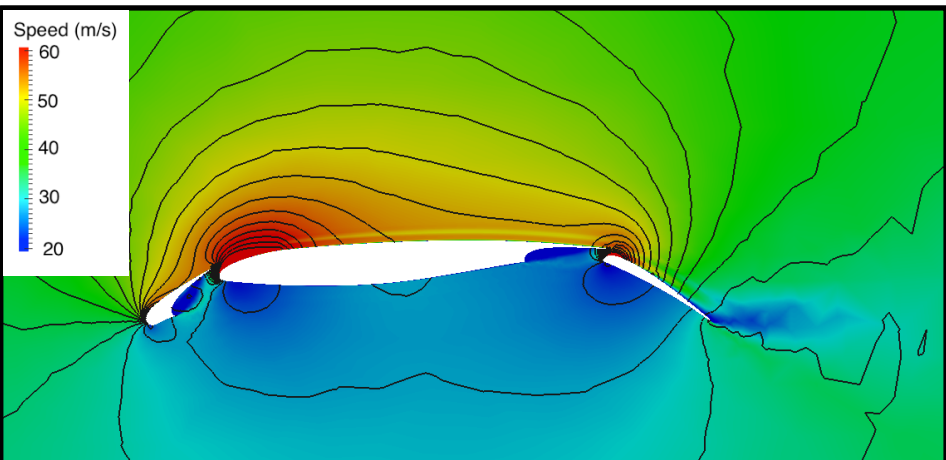
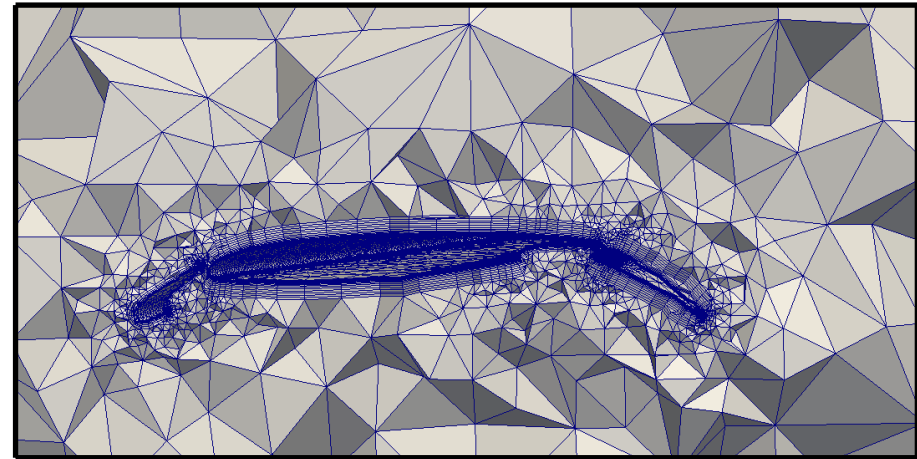
Computational  
details for  $\text{AoA} = 7^\circ$



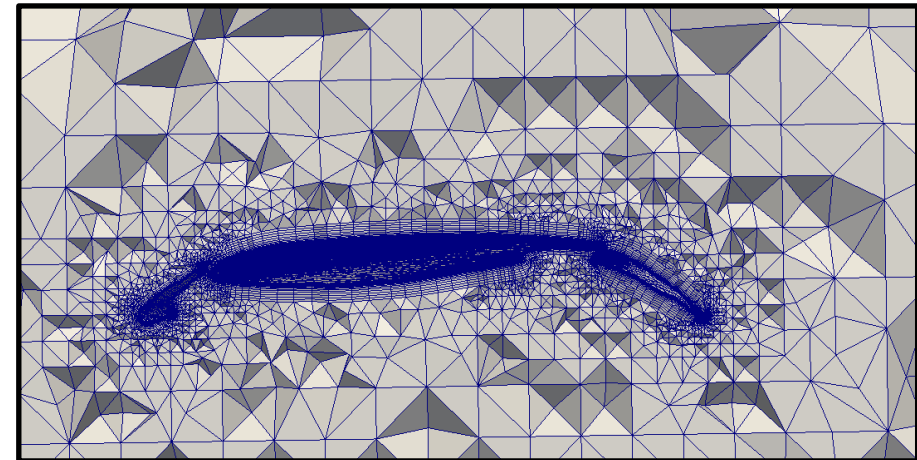
# Case 1: Speed and Meshes



Coarse mesh

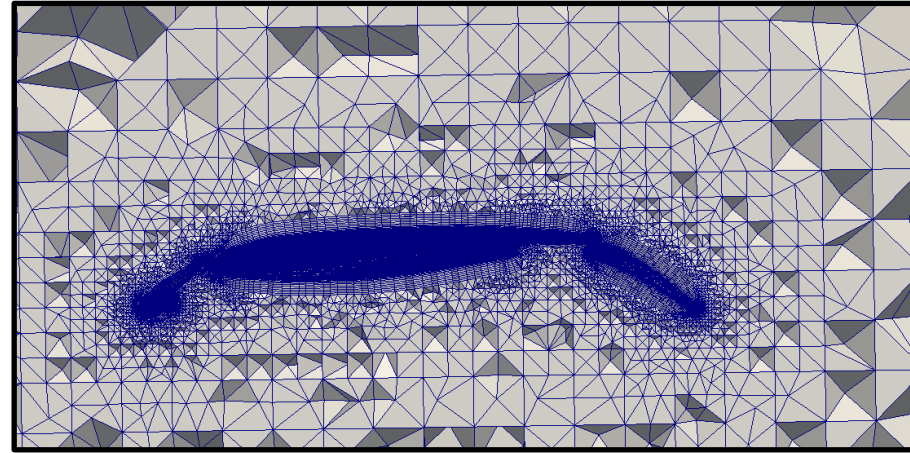
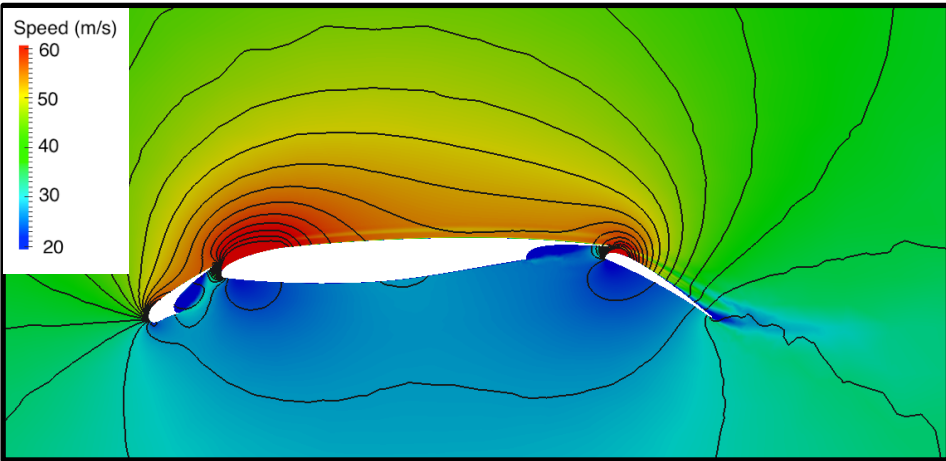


Medium mesh

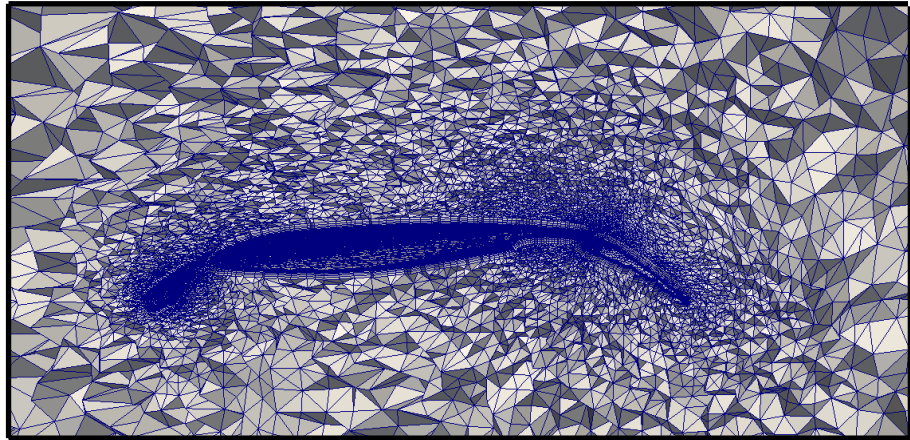
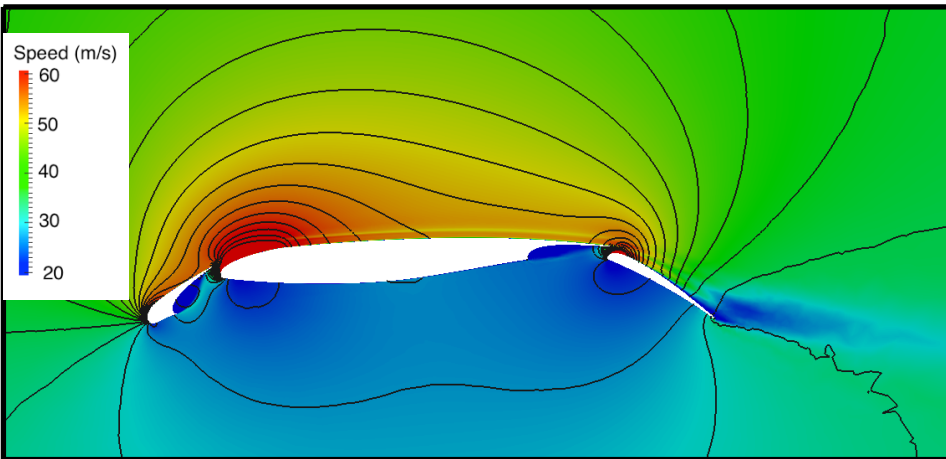




# Case 1: Speed and Meshes

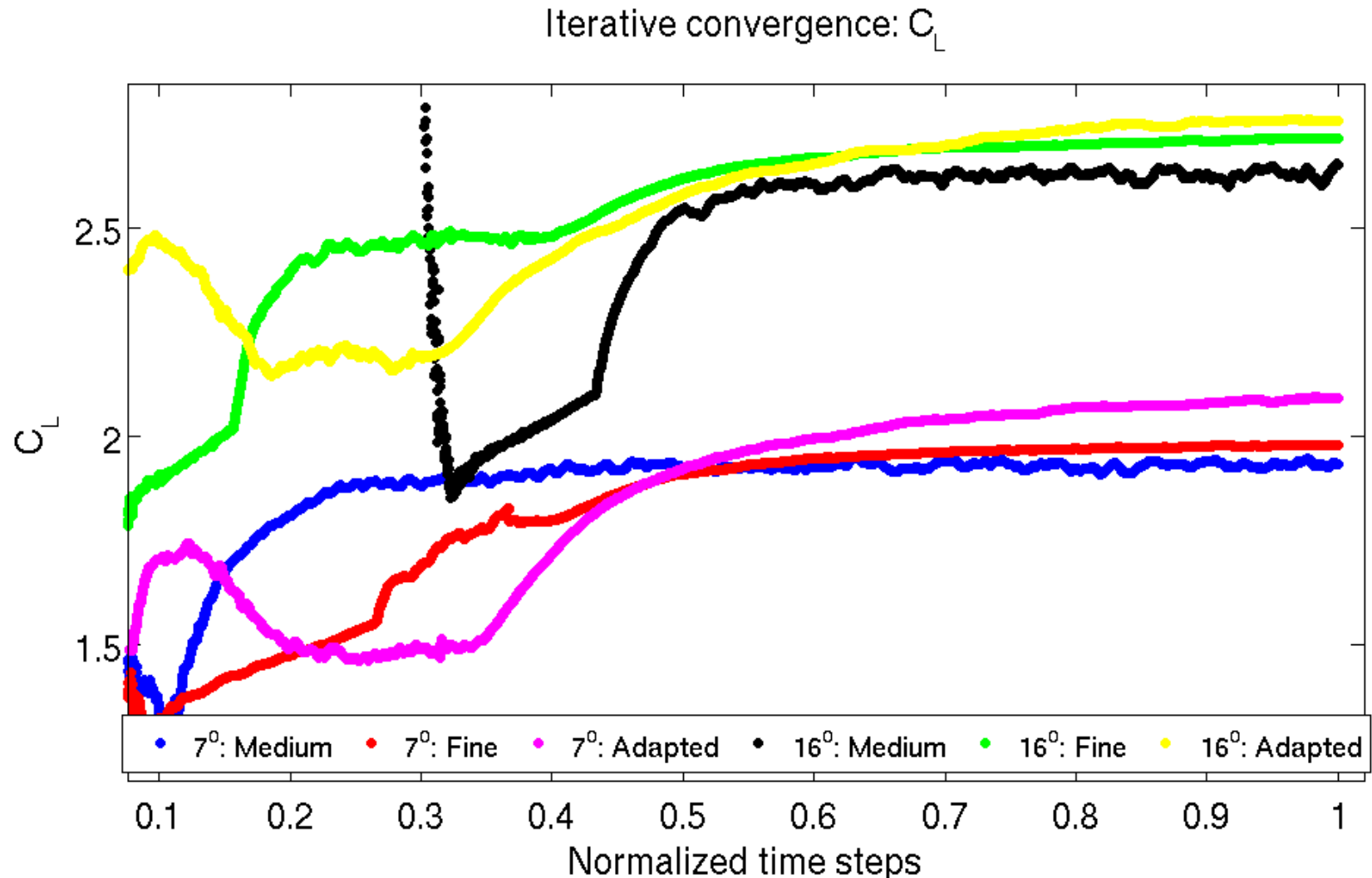


Fine mesh

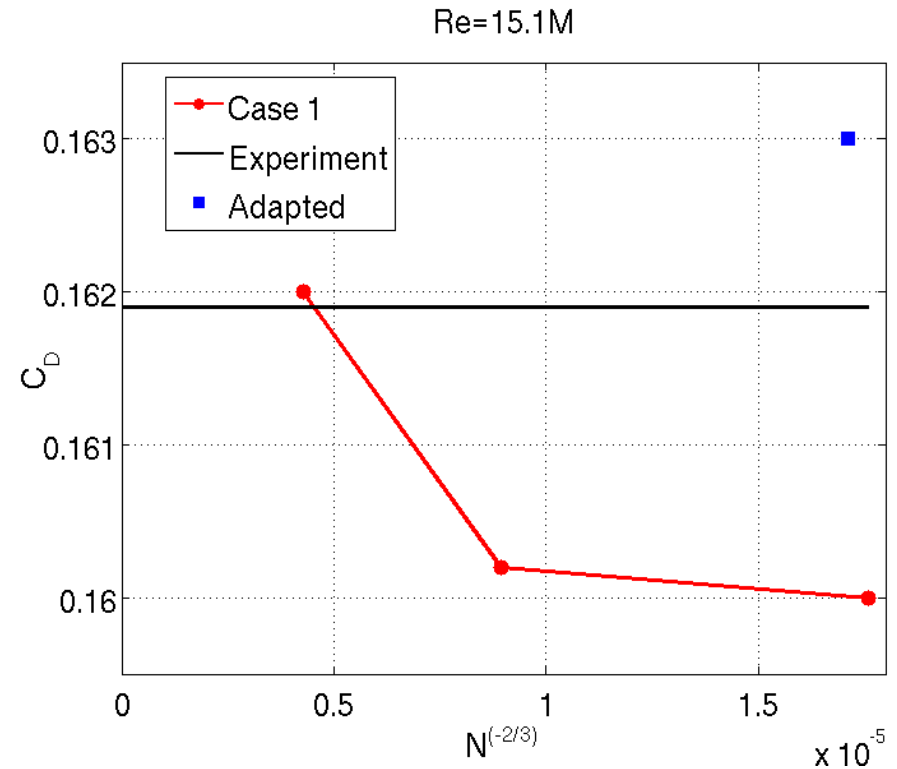
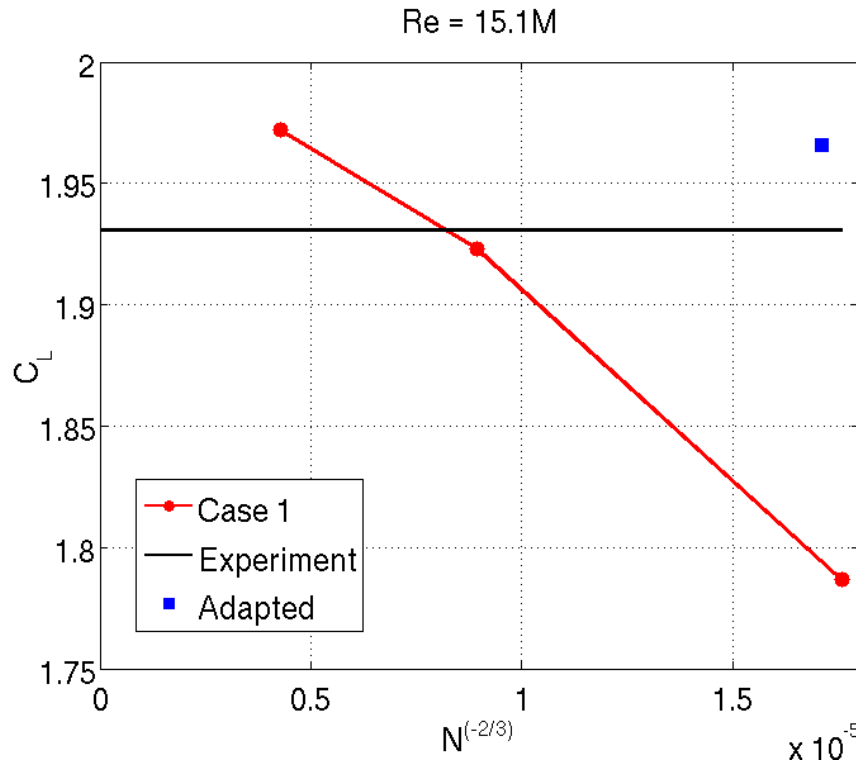


Adapted mesh

# Case 1: Iterative Convergence

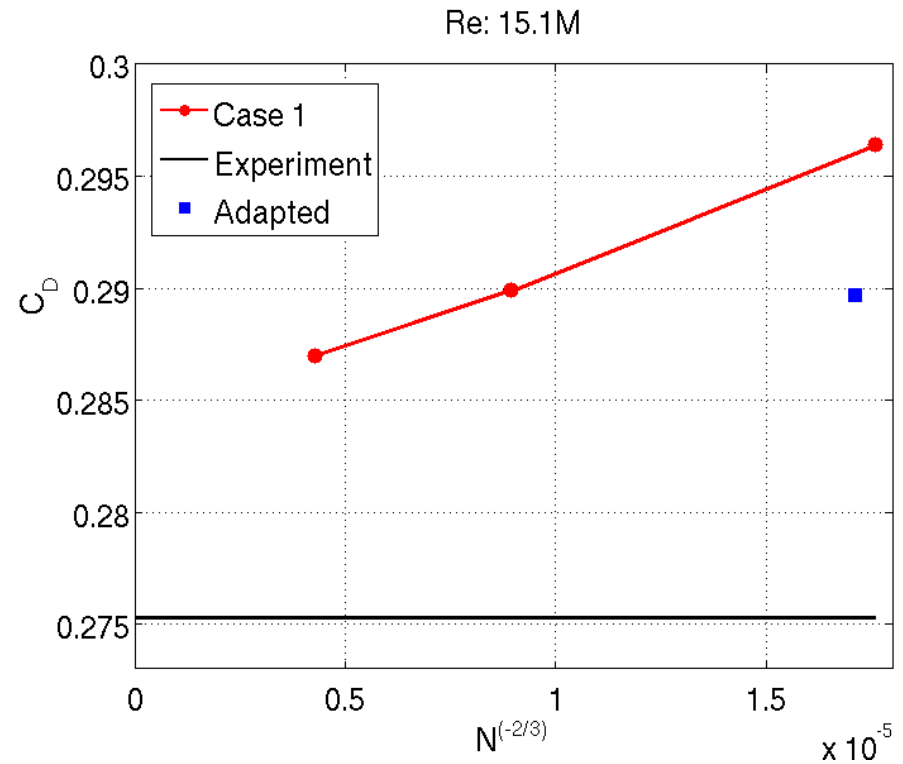
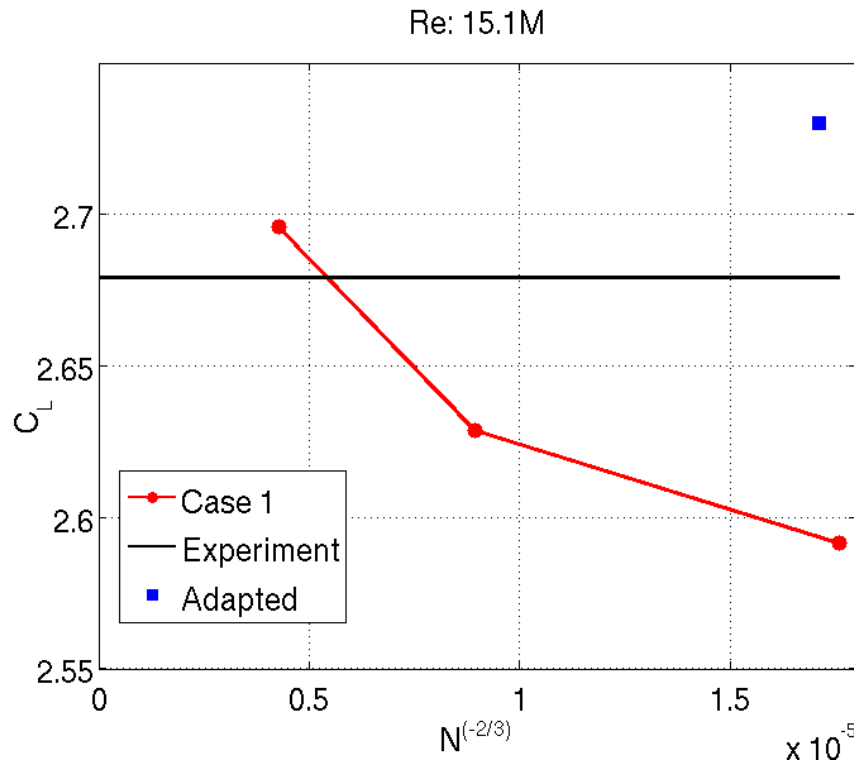


# Case 1: Grid Convergence



AoA = 7°

# Case 1: Grid Convergence

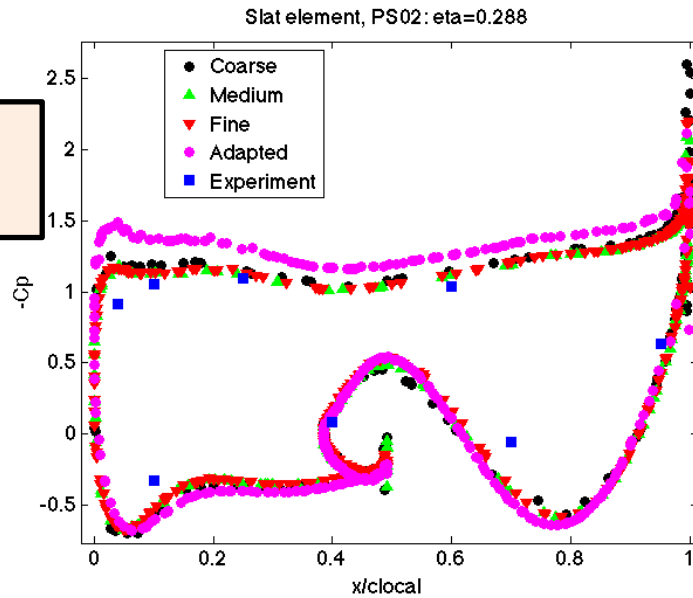


AoA = 16°

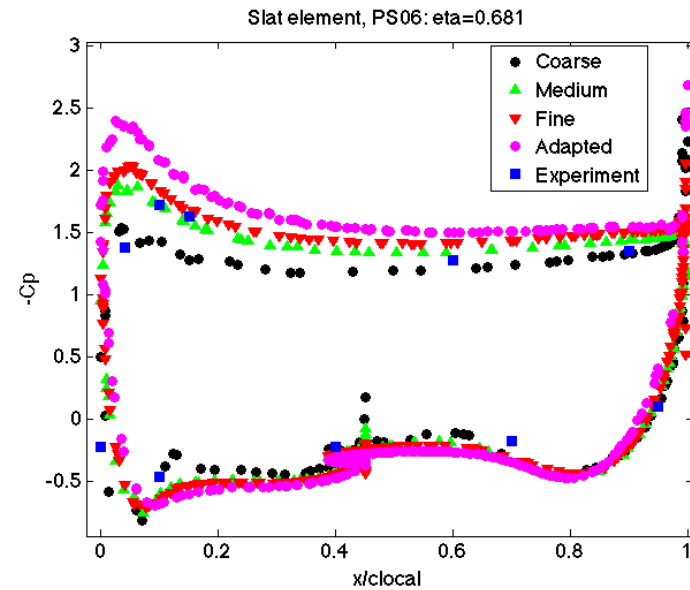
# Case 1: $C_p$ Plots



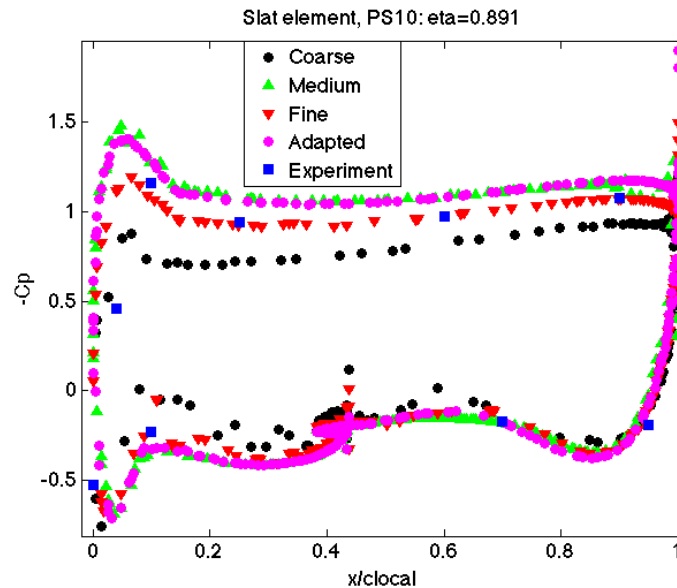
29%  
span



68%  
span



AoA =  $7^\circ$  (Slat  
element)

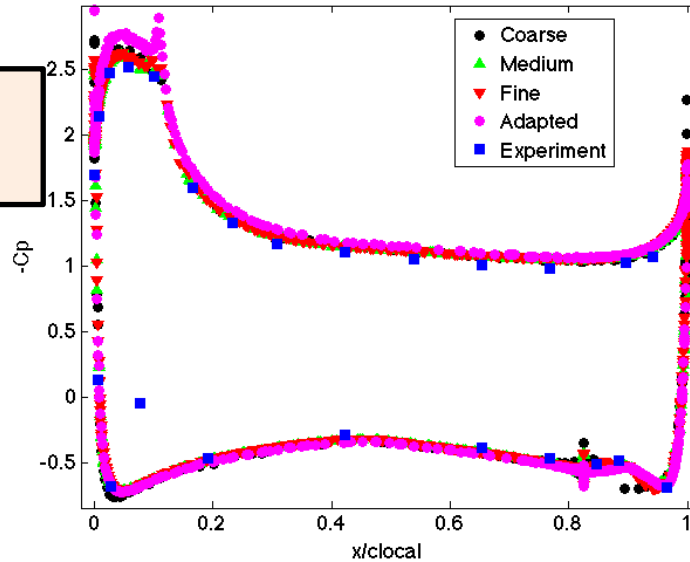


89%  
span

# Case 1: $C_p$ Plots

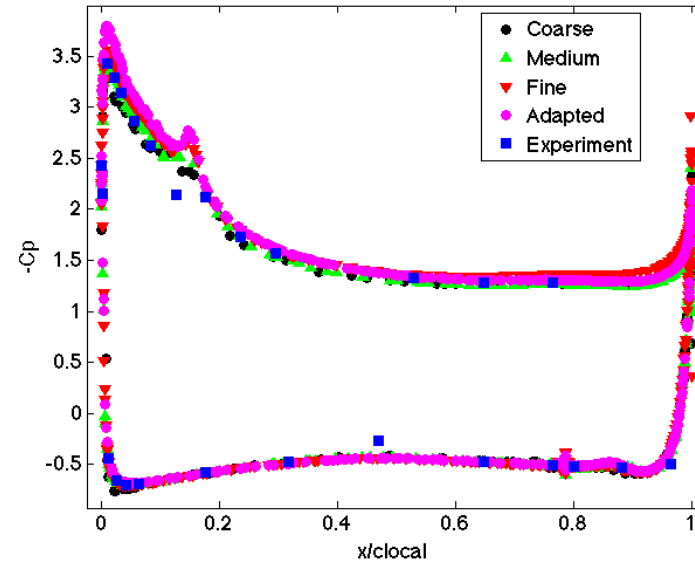


Main wing, PS02:  $\eta=0.288$



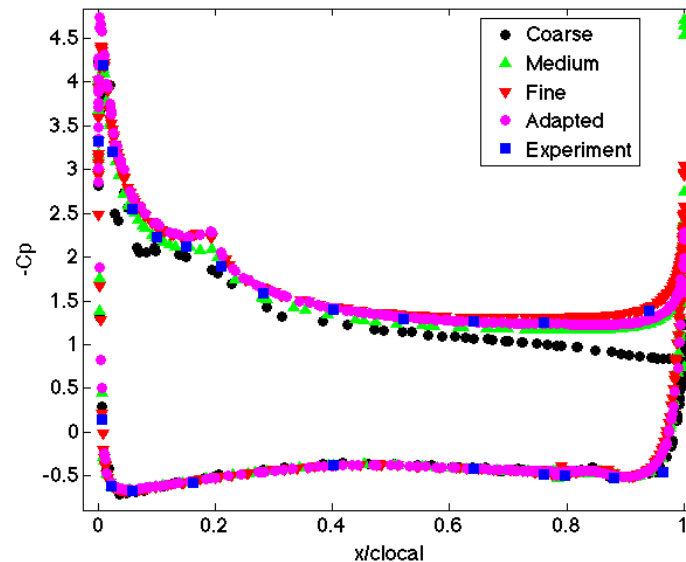
29%  
span

Main wing, PS06:  $\eta=0.681$



68%  
span

Main wing, PS10:  $\eta=0.891$



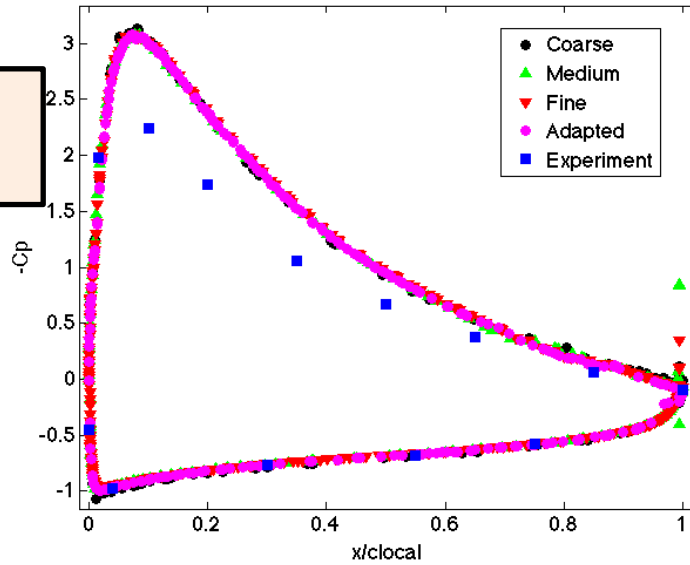
AoA =  $7^\circ$  (Main  
wing)

89%  
span

# Case 1: $C_p$ Plots

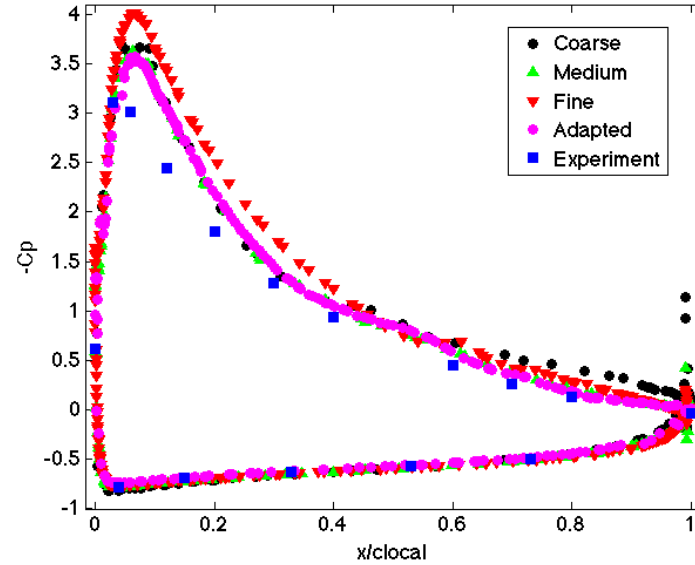


Flap element, PS02:  $\eta=0.288$



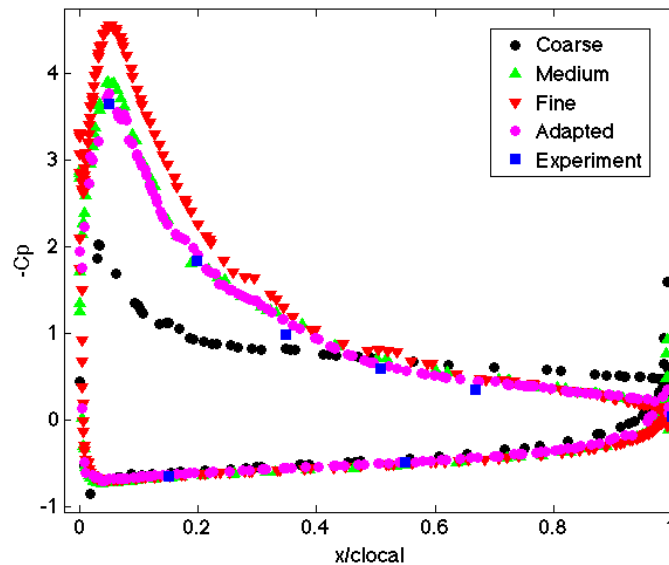
29%  
span

Flap element, PS06:  $\eta=0.681$



68%  
span

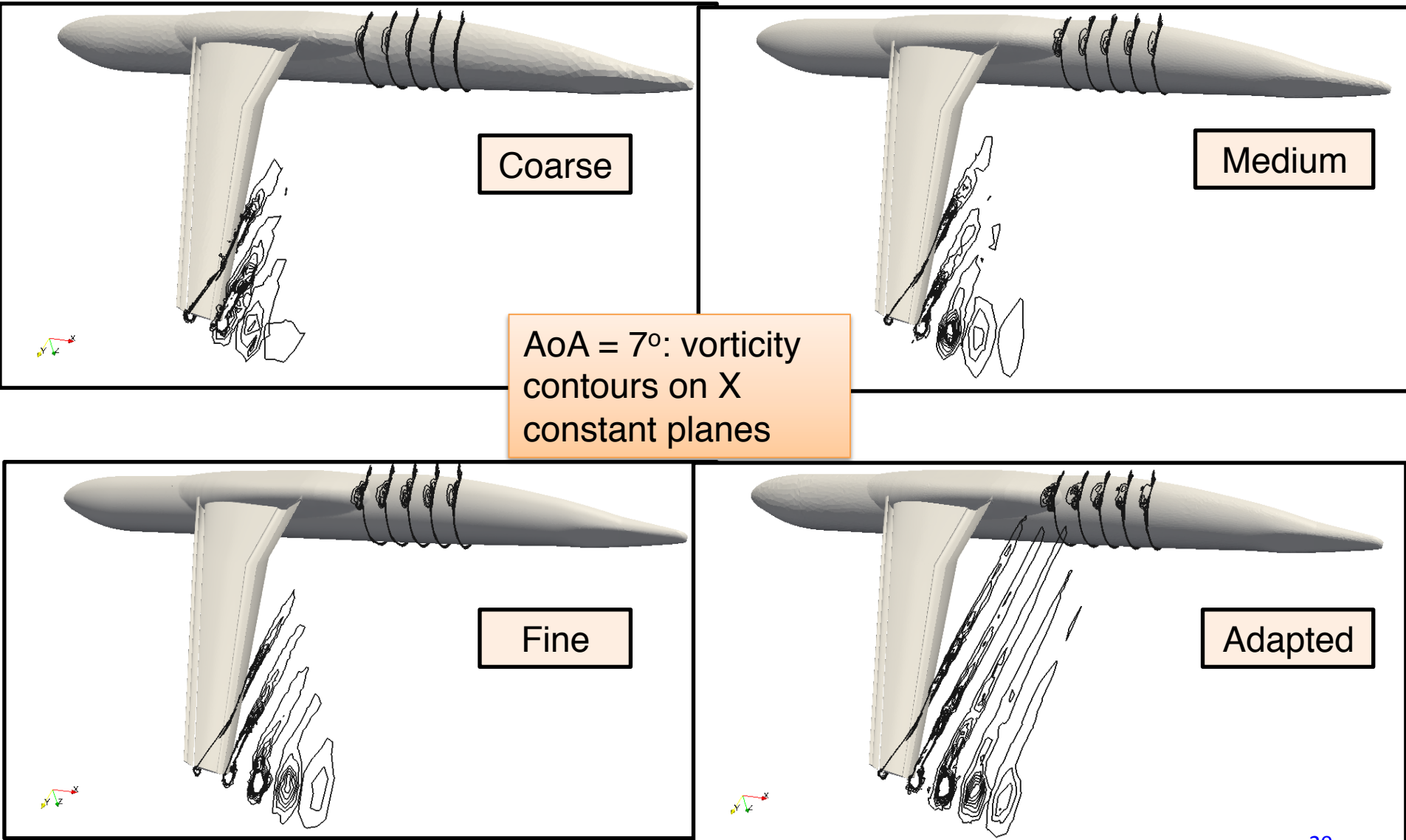
Flap element, PS10:  $\eta=0.891$



89%  
span

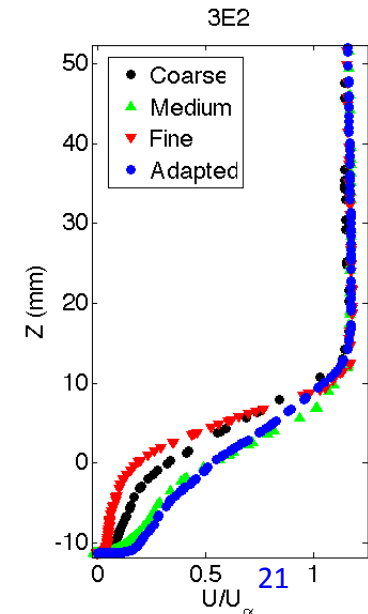
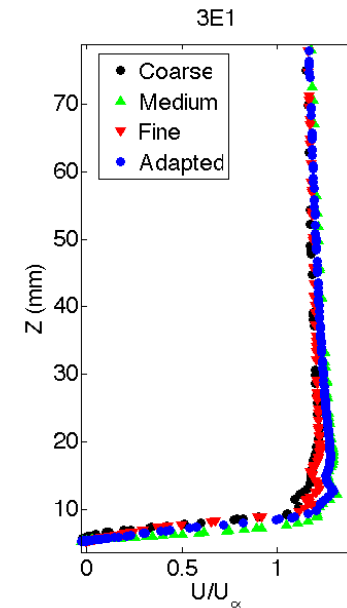
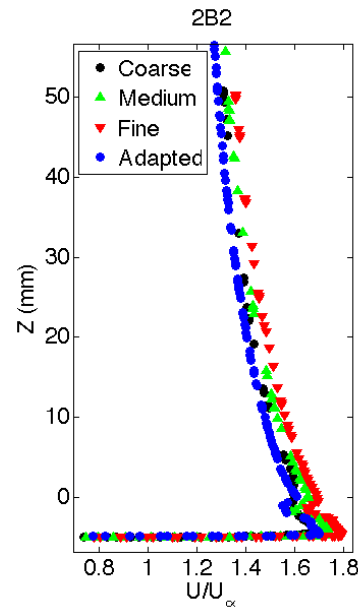
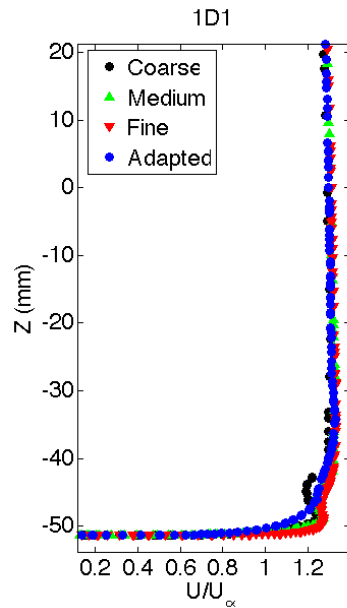
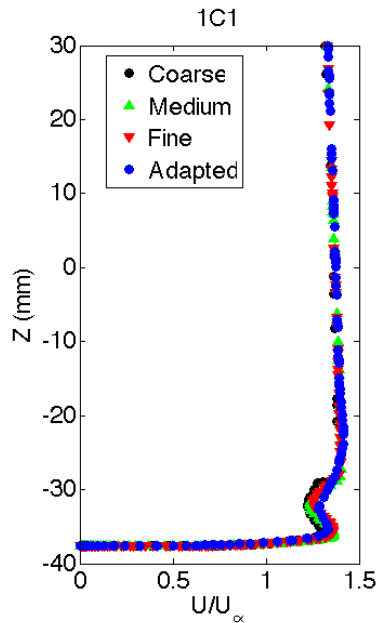
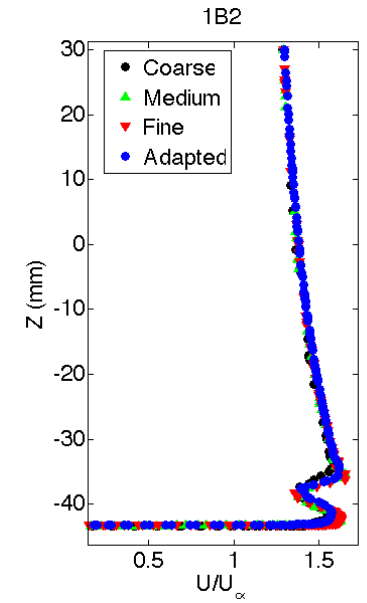
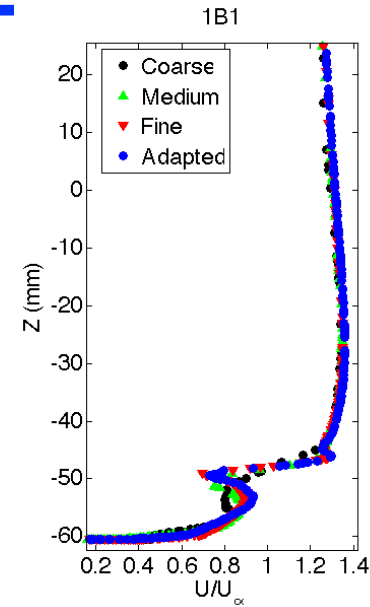
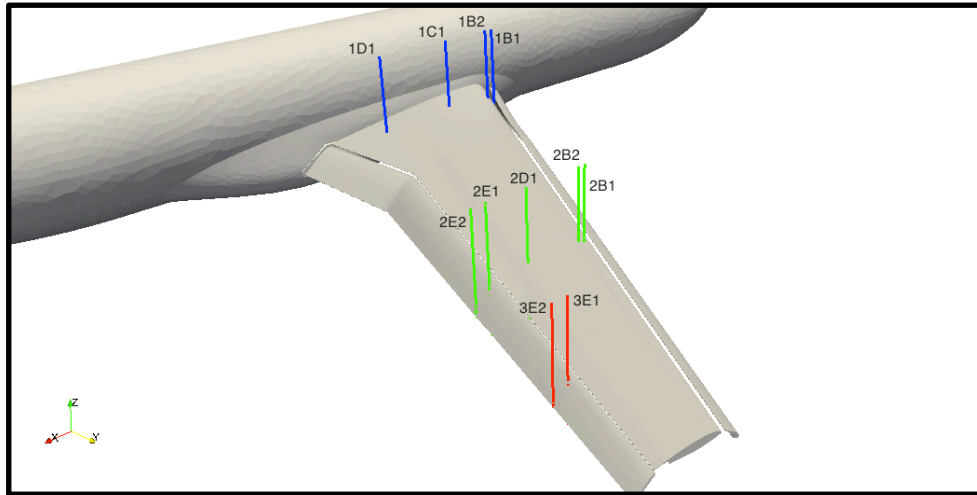
AoA =  $7^\circ$  (Flap  
element)

# Case 1: Vorticity Contours

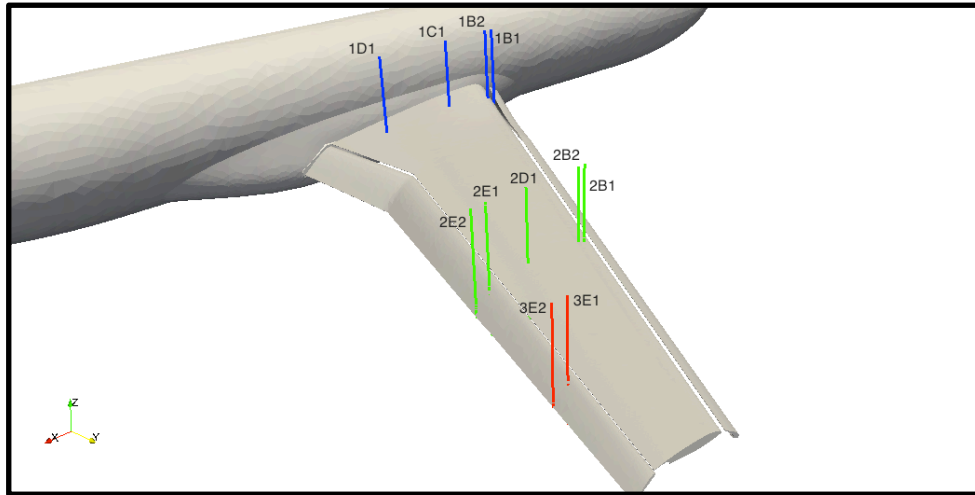




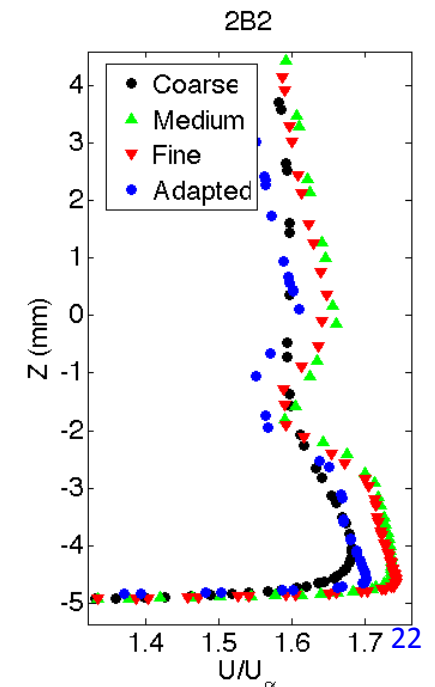
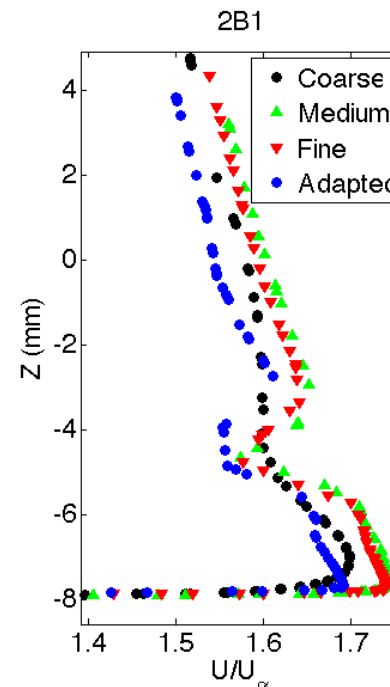
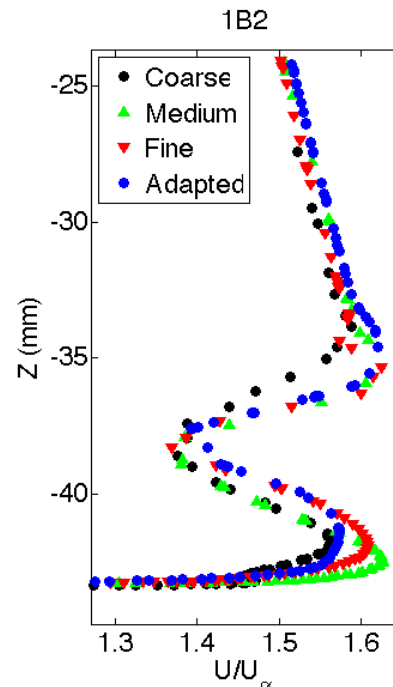
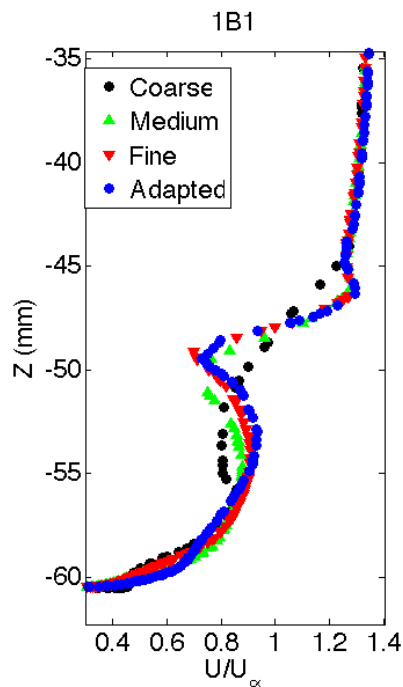
# Case 1: Velocity Profiles



# Case 1: Velocity Profiles



Zooms of slat wake profiles

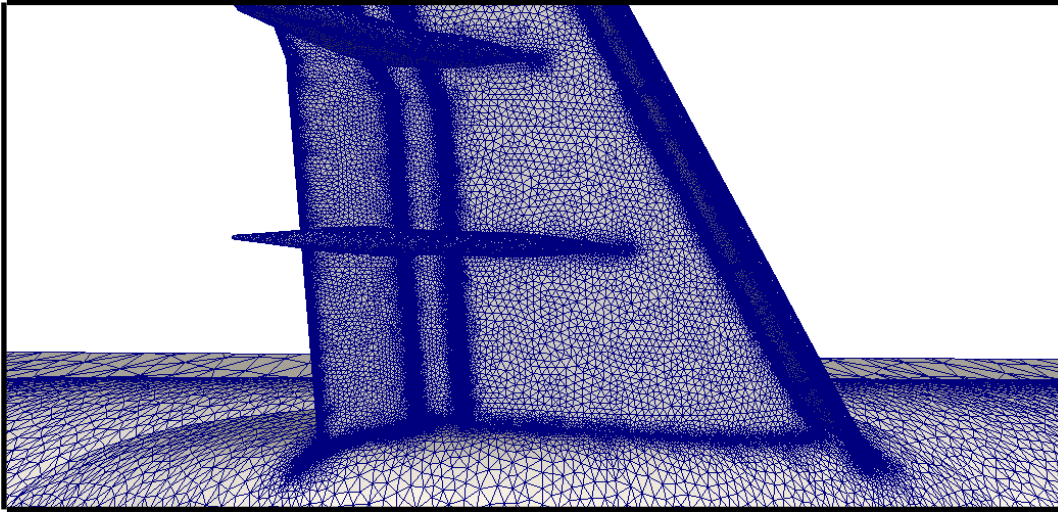




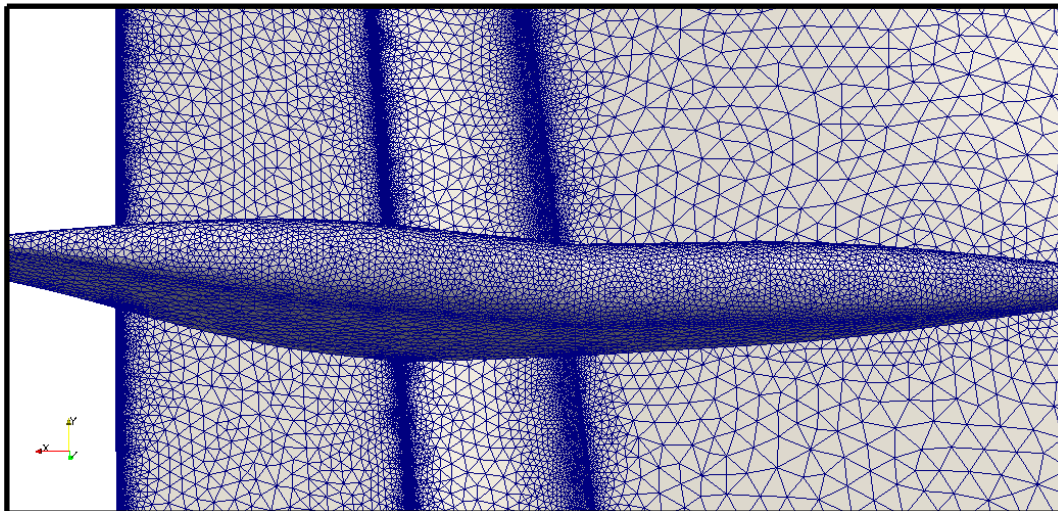
- Reasonable agreement with the experiments
- Adaptivity overall does better near the tip and near the trailing edges in capturing the flow due to higher resolution compared to the coarse mesh, which is of comparable size.
- One adaptive pass is not enough to get accurate grid converged results
- Velocity profile are able to capture wake effects even at medium grid densities
- Flap element shows some difference in  $C_p$  values, especially near the root
- Fine mesh overshoots pressure peak on flaps at some locations

- Meshes:
  - Created using gridding guidelines given online
  - Unstructured, with mixed element boundary layers
  - Created in-house using MeshSim software by Simmetrix Inc.
- Mesh statistics:
  - Medium: 98.0M elements, 39.9M nodes
- Cases:
  - Case 2(a): Low Reynolds number = 1.35M
    - ❑ Angles of attack: 0, 7, 12, 16, 18.5, 19, 20, 21 (degrees)
  - Case 2(b): High Reynolds number = 15.1M
    - ❑ Angles of attack: 0, 7, 12, 16, 18.5, 20, 21, 22.4 (degrees)
- Solved on Mira BG/Q on 32k processors

# Case 2: Mesh

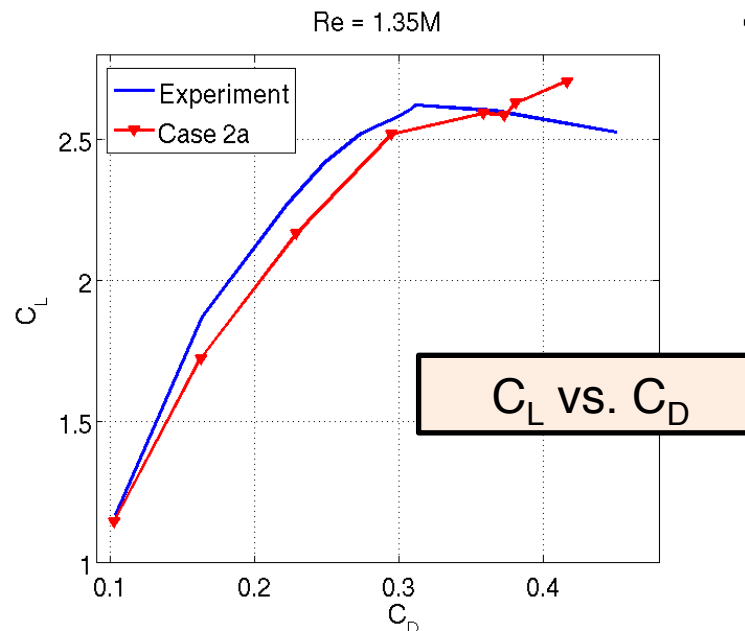
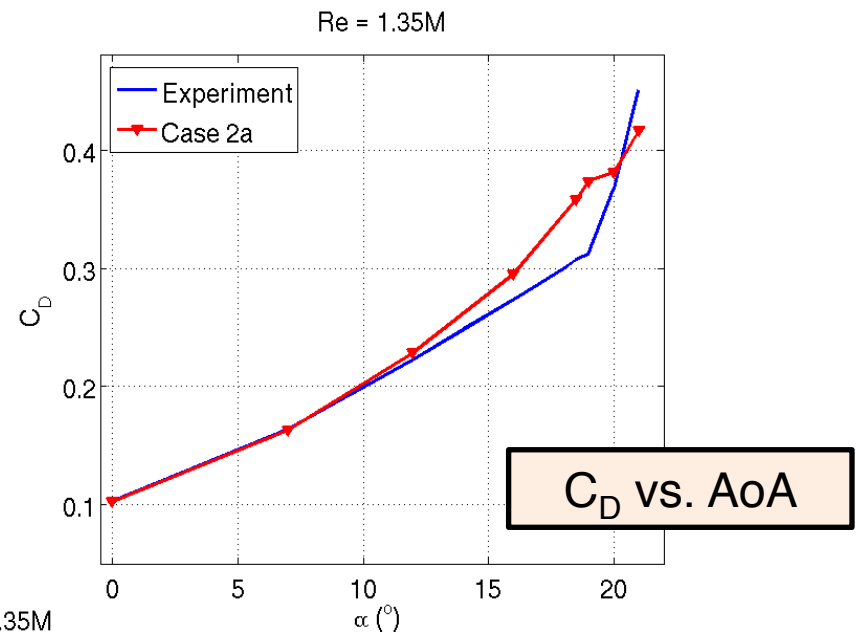
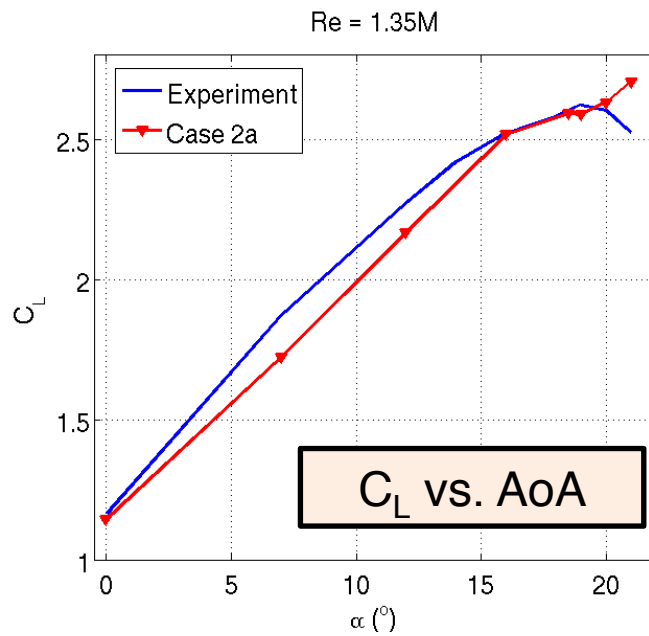


Mesh created with same attributes as for medium mesh in Case 1

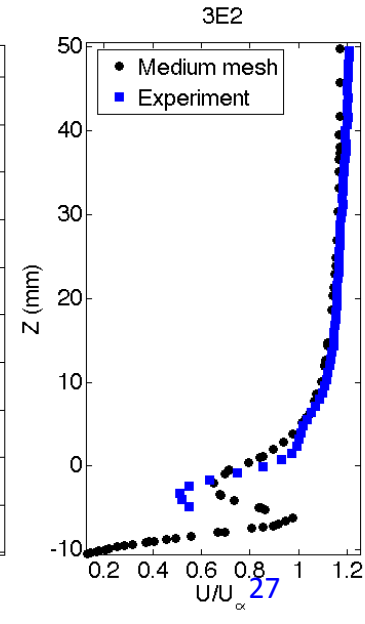
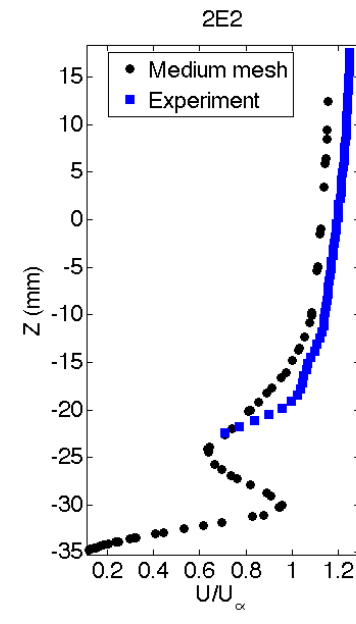
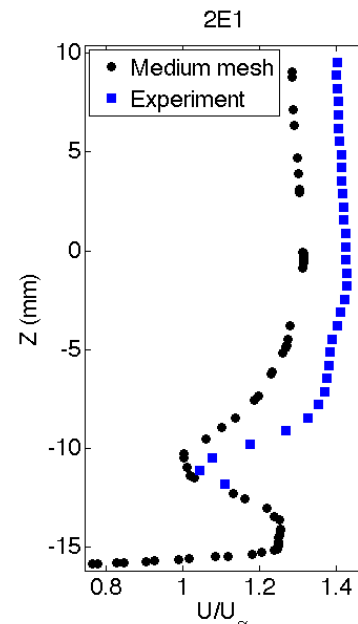
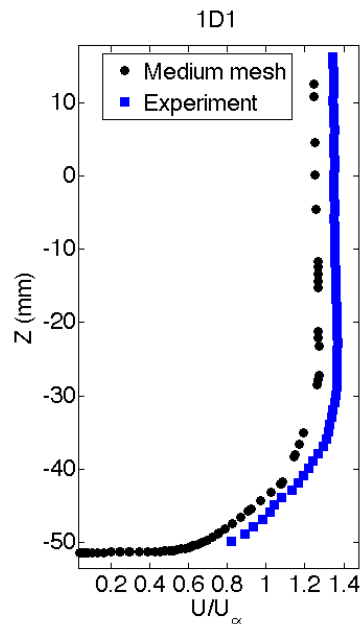
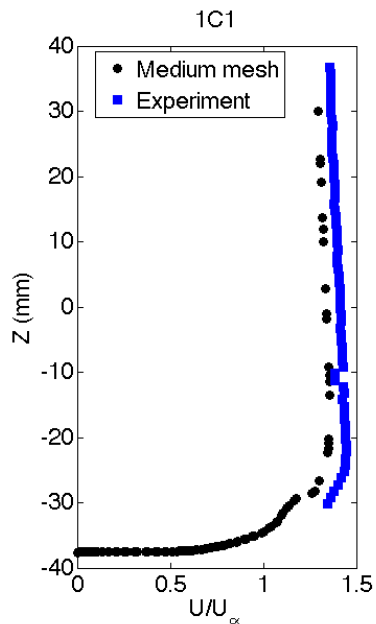
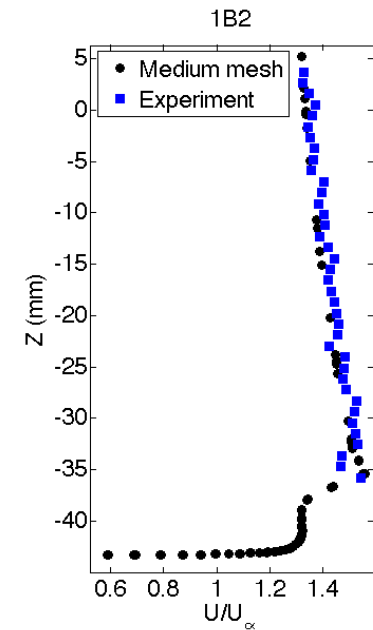
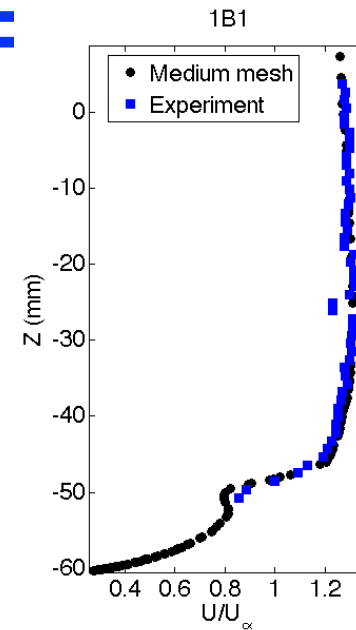
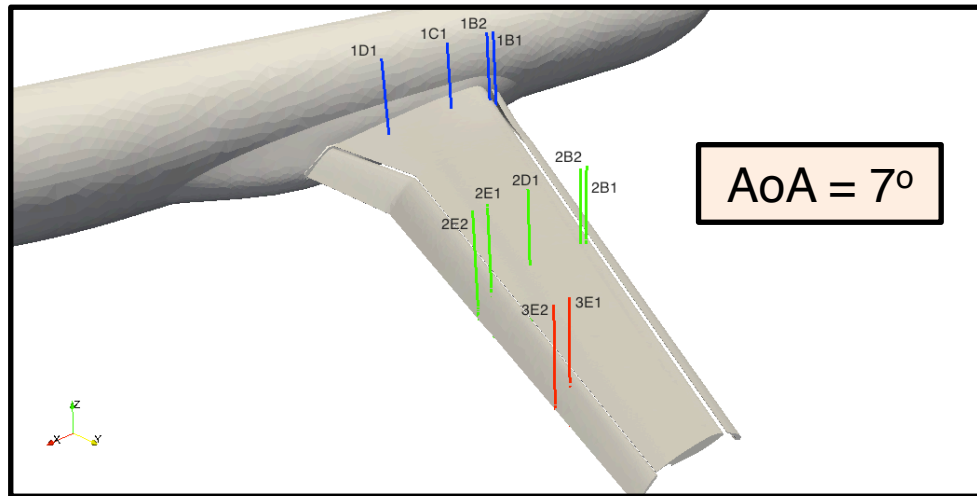


Zoom of the flap fairing

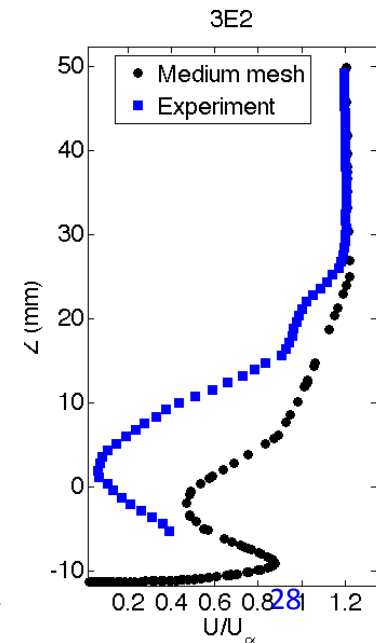
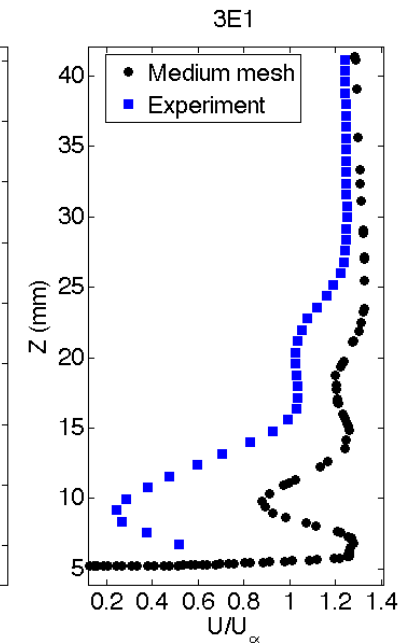
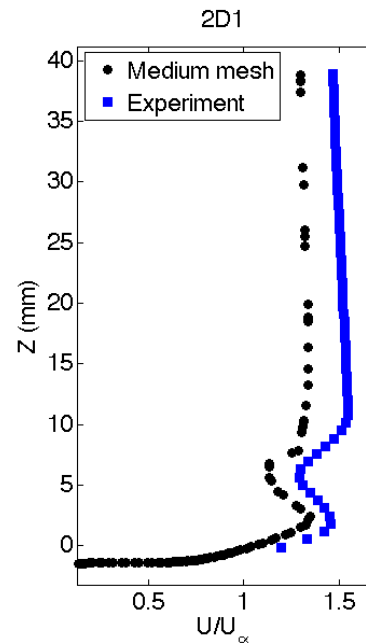
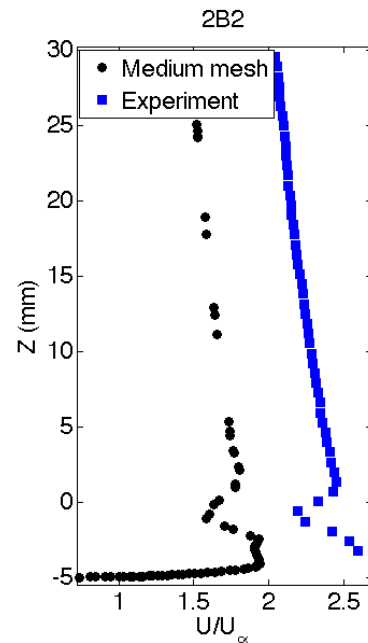
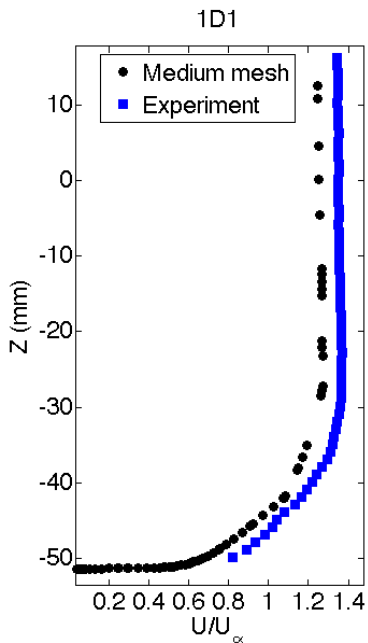
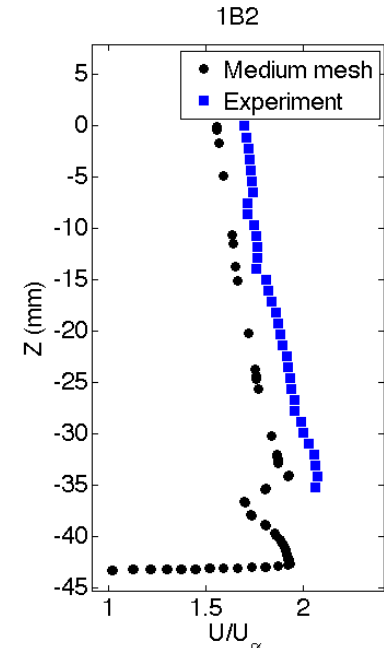
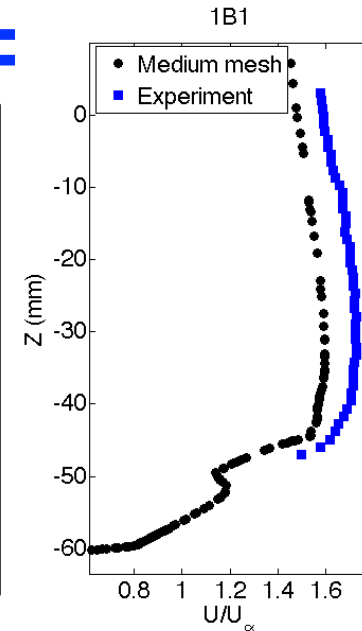
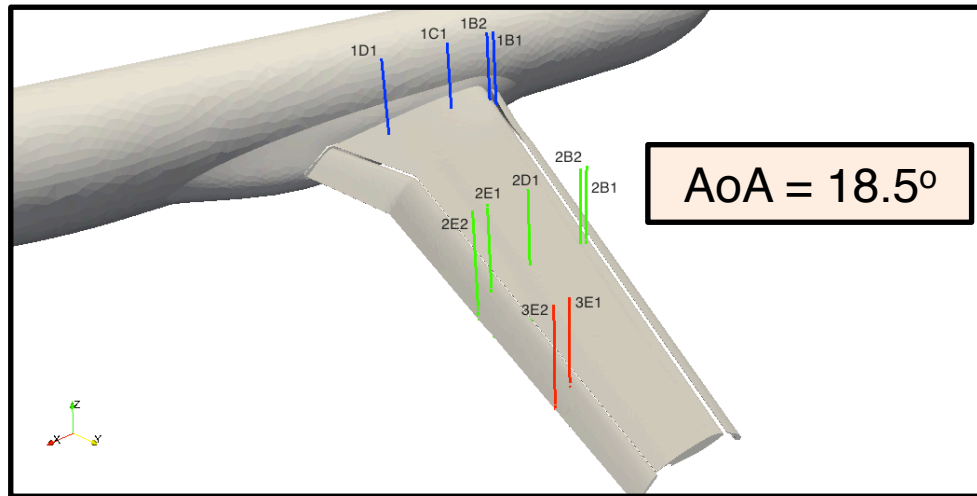
# Case 2a: Lift and Drag



# Case 2a: Velocity Profiles

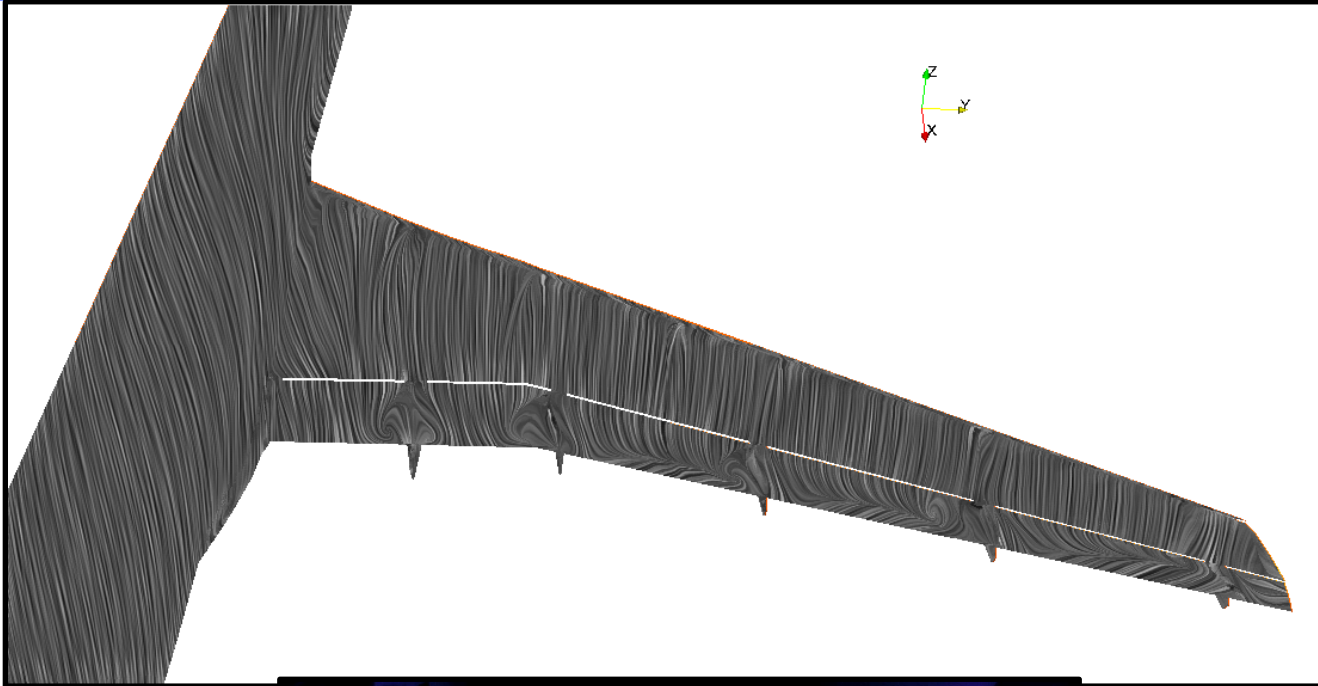


# Case 2a: Velocity Profiles

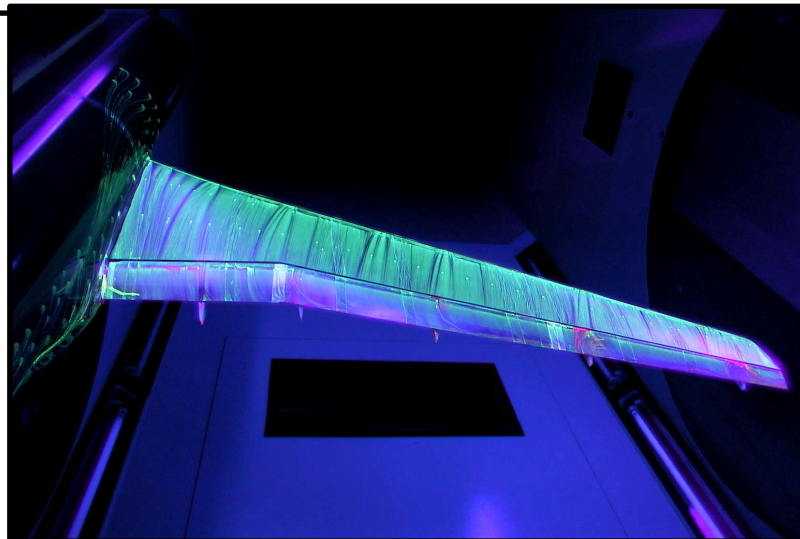




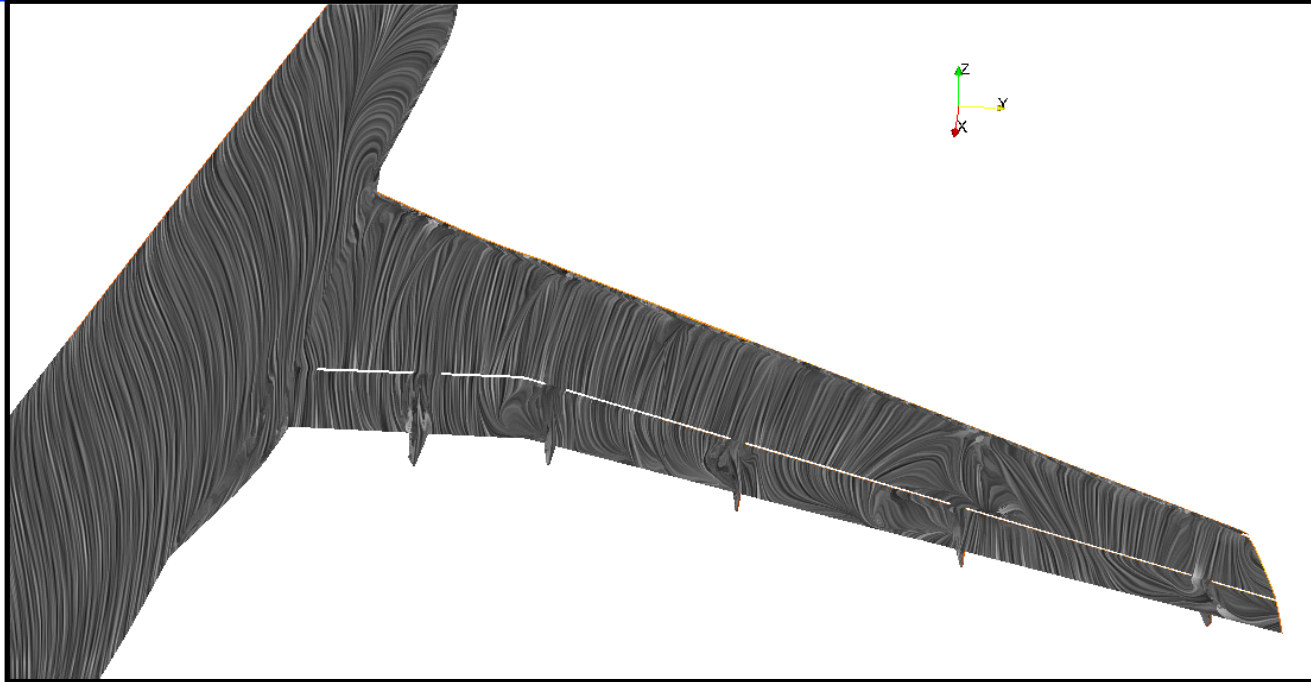
# Case 2a: Oil Flow



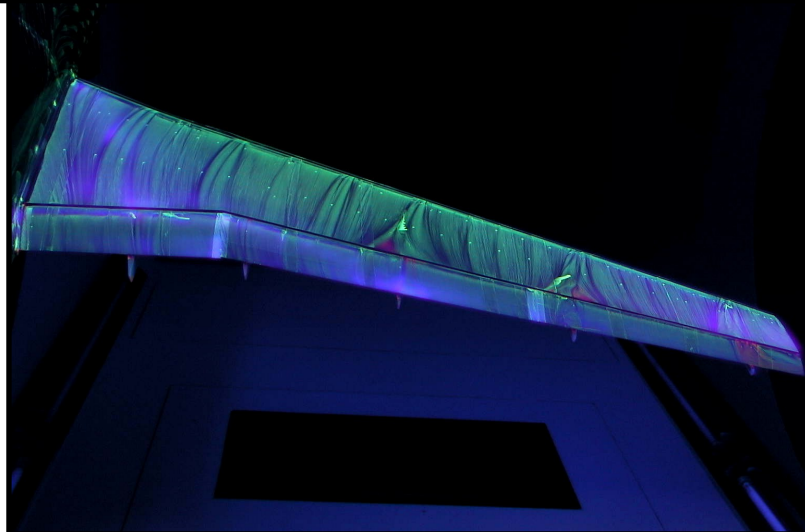
$AoA = 7^\circ$



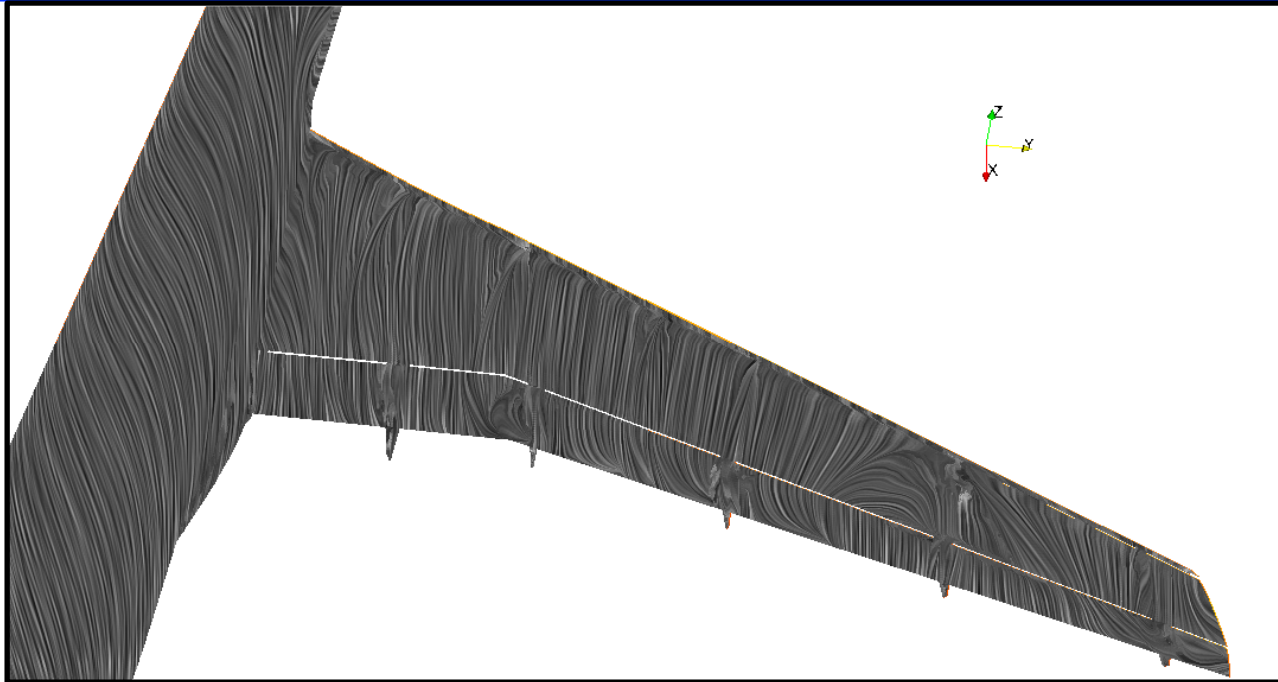
# Case 2a: Oil Flow



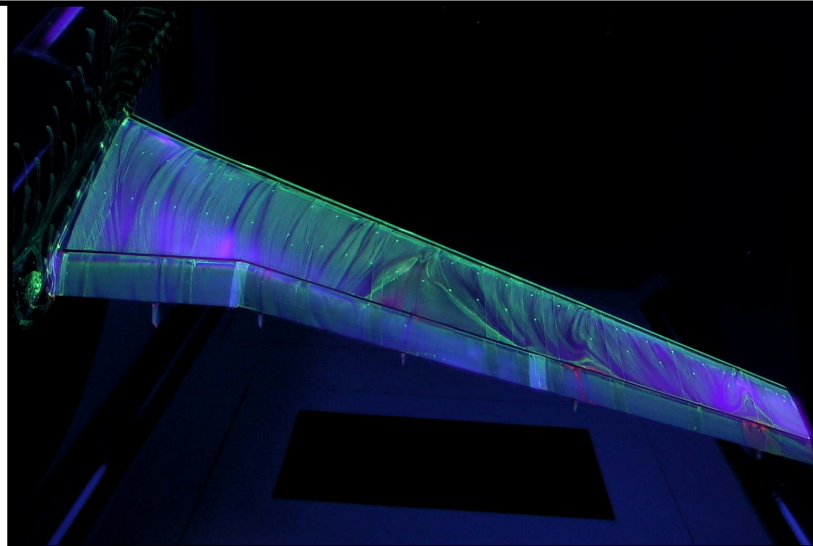
$AoA = 18.5^\circ$



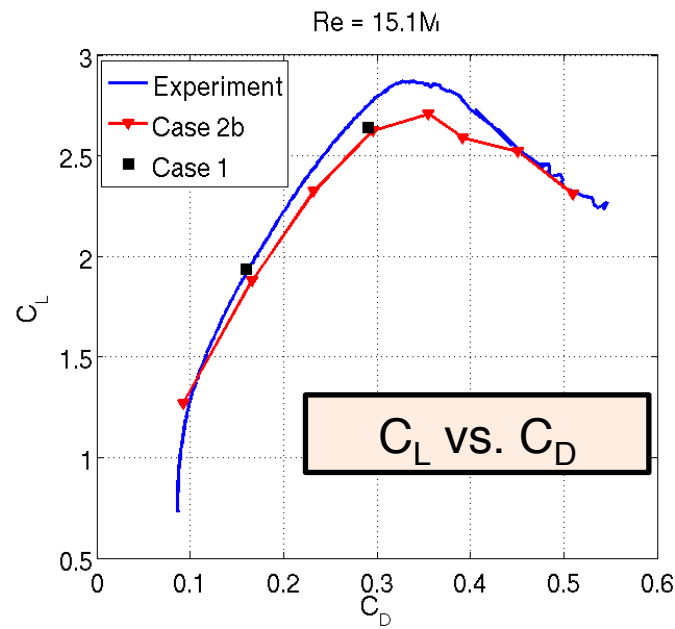
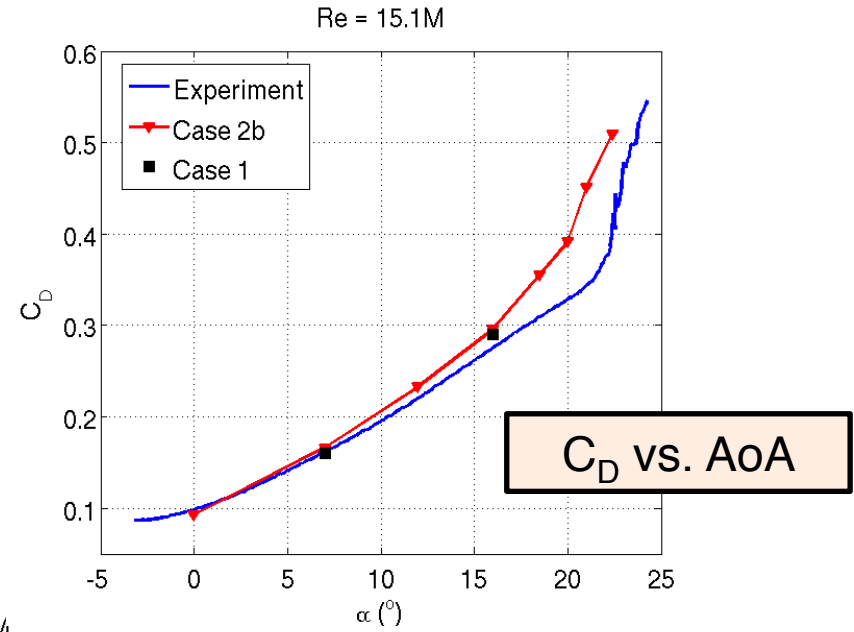
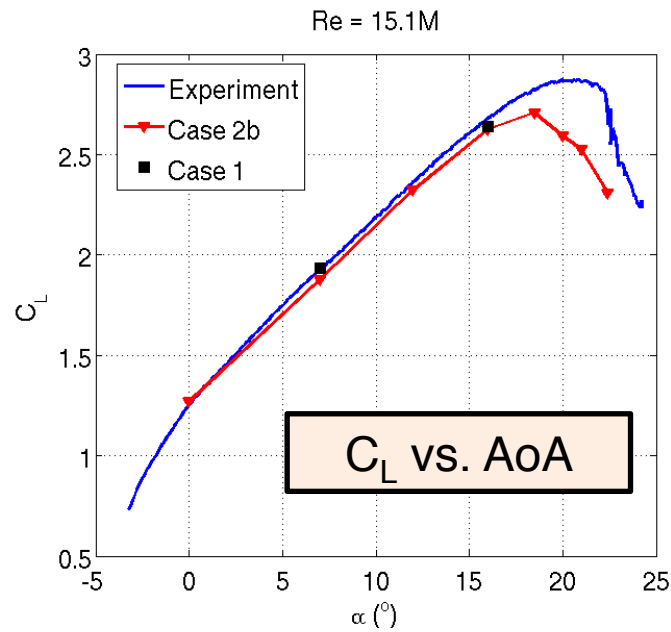
# Case 2a: Oil Flow



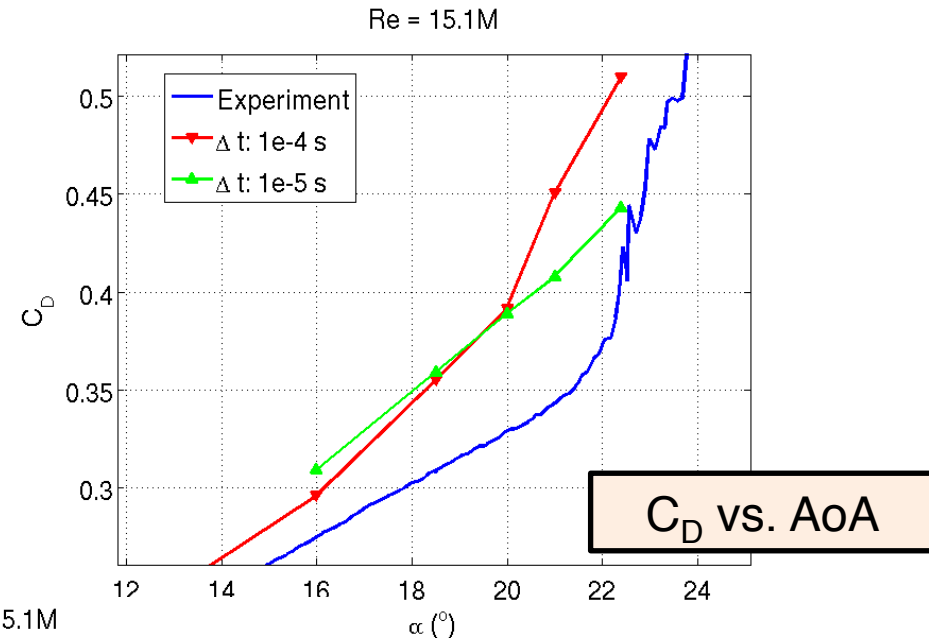
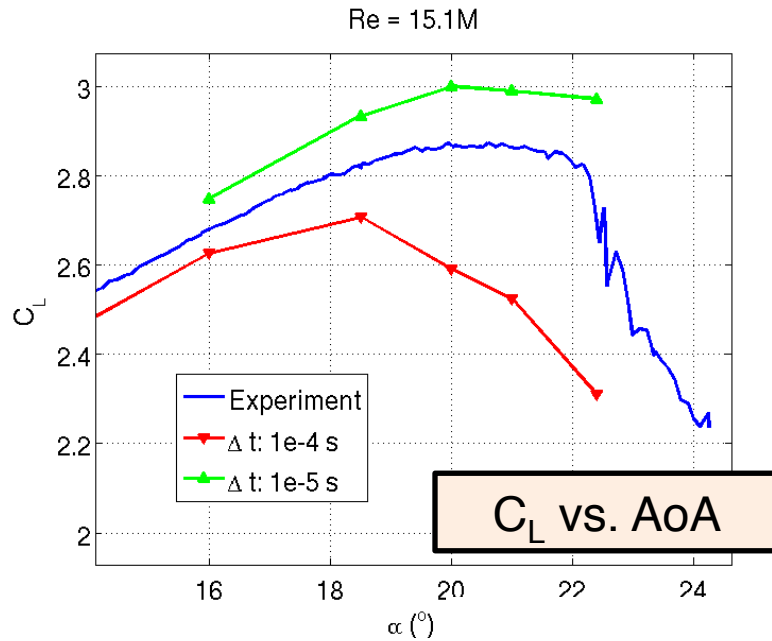
$AoA = 21^\circ$



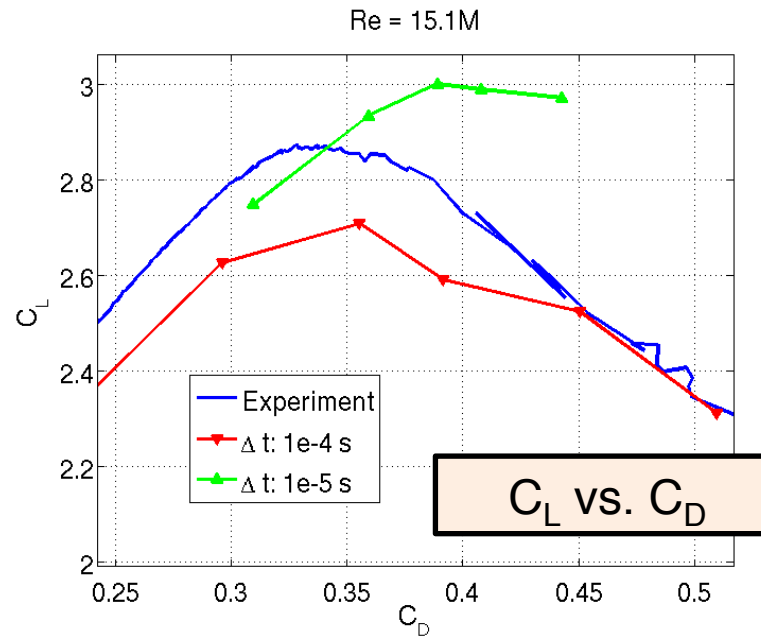
# Case 2b: Lift and Drag



# Case 2b: Lift and Drag



Time step  
dependence  
at high AoA



# Case 2b: Effect of brackets



AoA = 7°

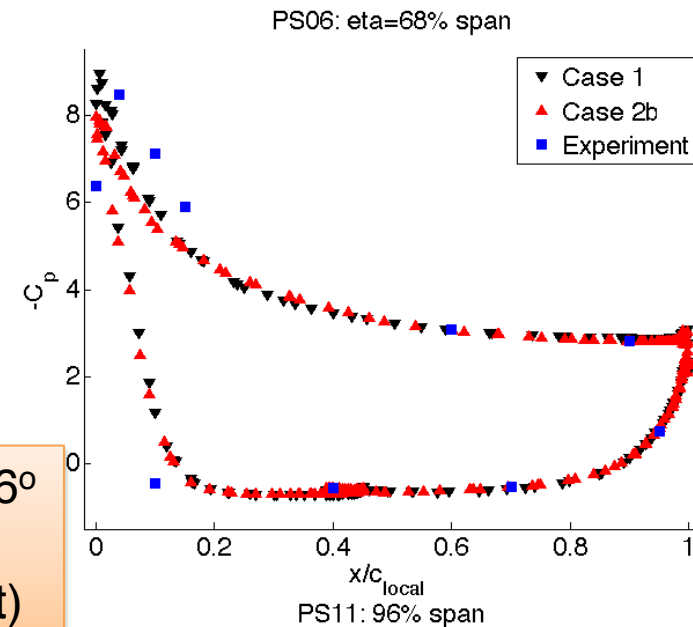
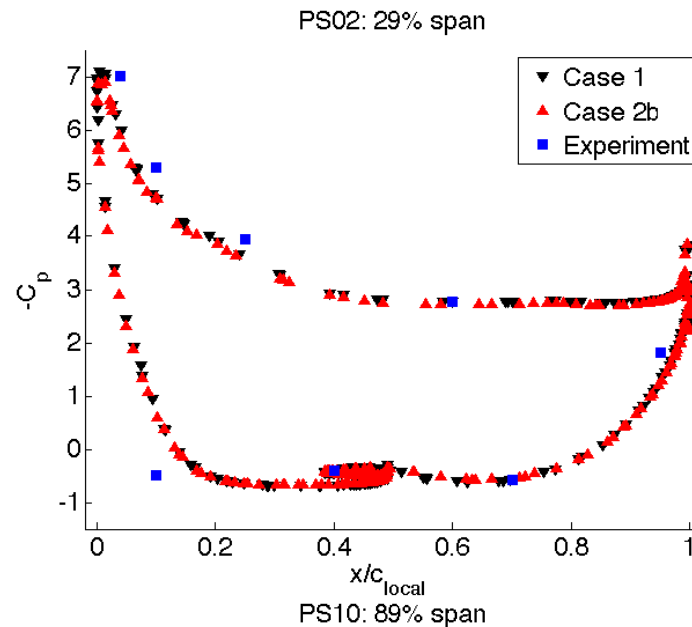
Case	$C_L$	$C_D$
Case 1	1.923	0.160
Case 2b	1.876	0.166
Experiments	1.930	0.162

Effect: Lower  $C_L$ , higher  $C_D$

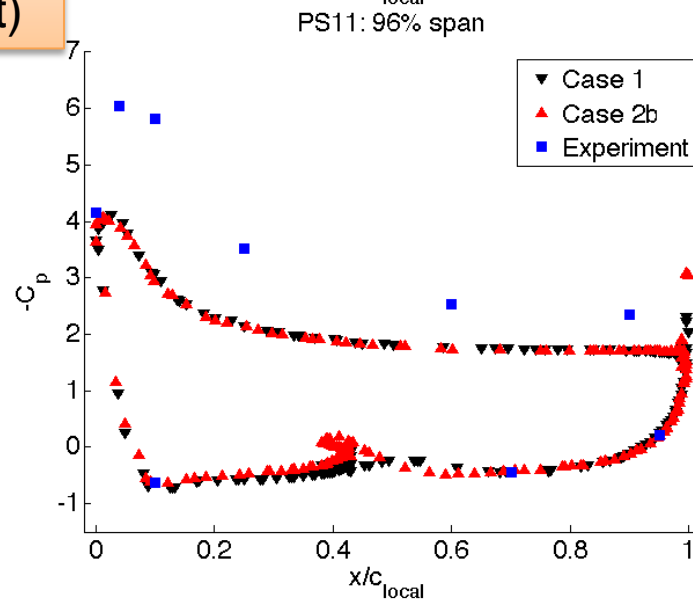
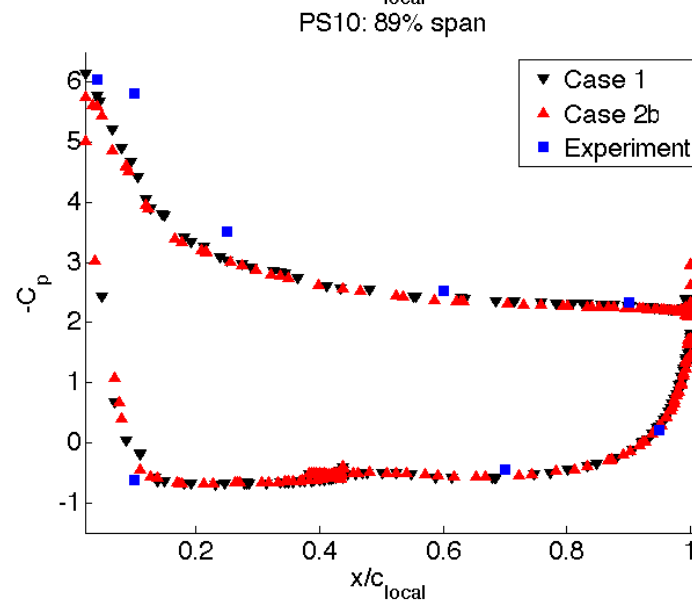
AoA = 16°

Case	$C_L$	$C_D$
Case 1	2.629	0.289
Case 2b	2.625	0.296
Experiments	2.679	0.275

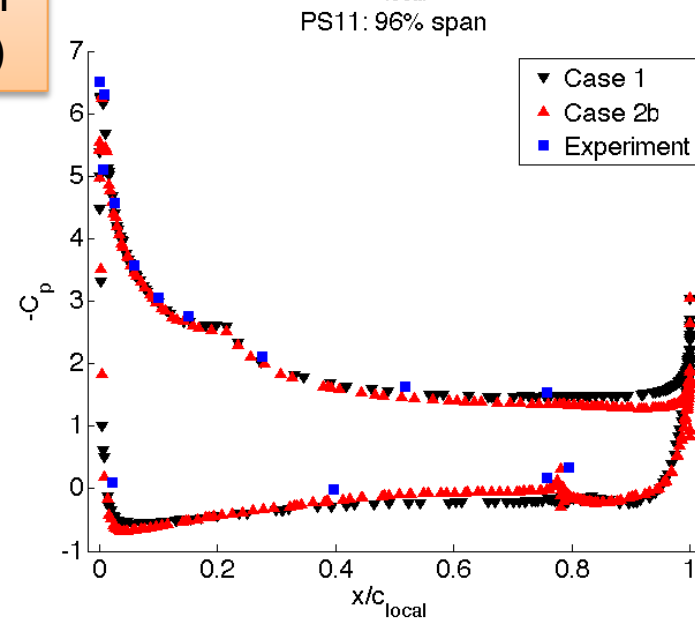
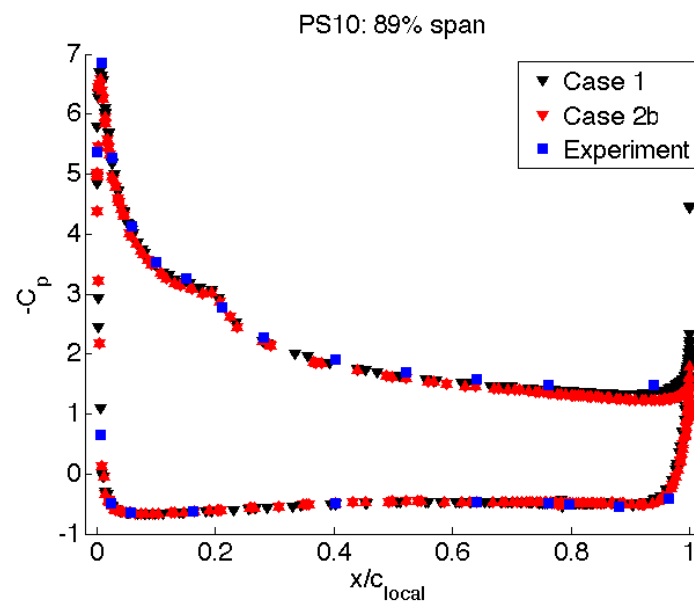
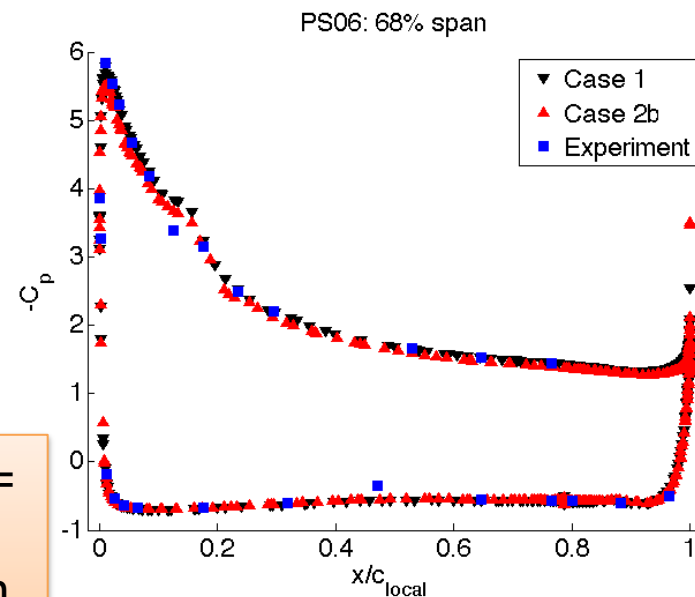
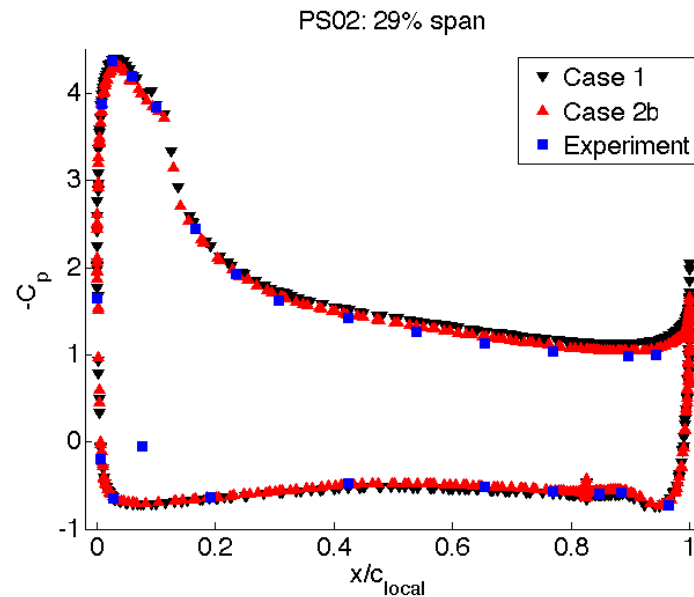
# Case 2b: Effect of brackets



AoA = 16°  
(Slat  
element)



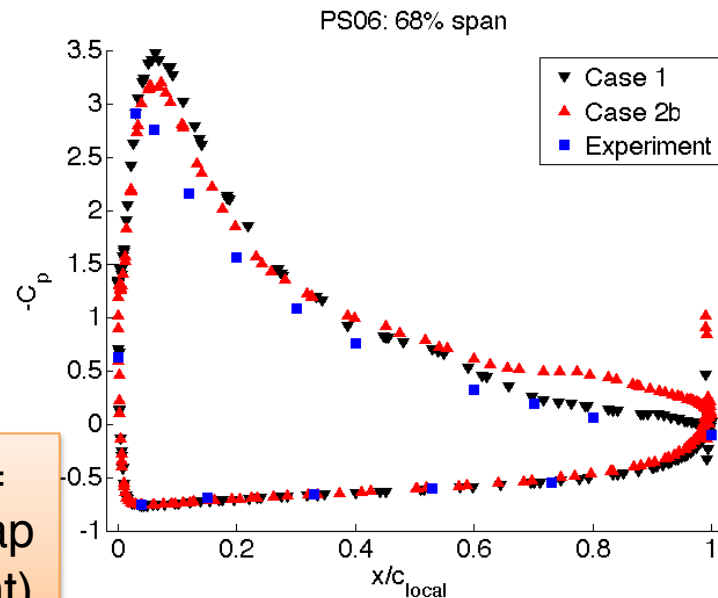
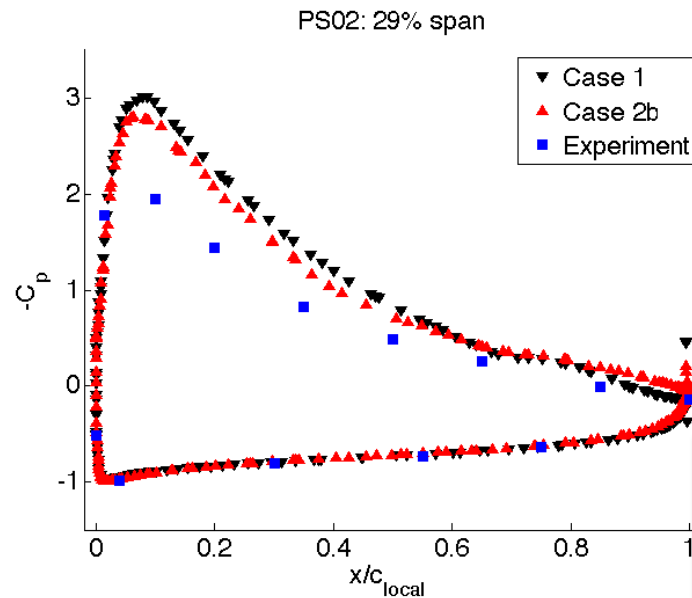
# Case 2b: Effect of brackets



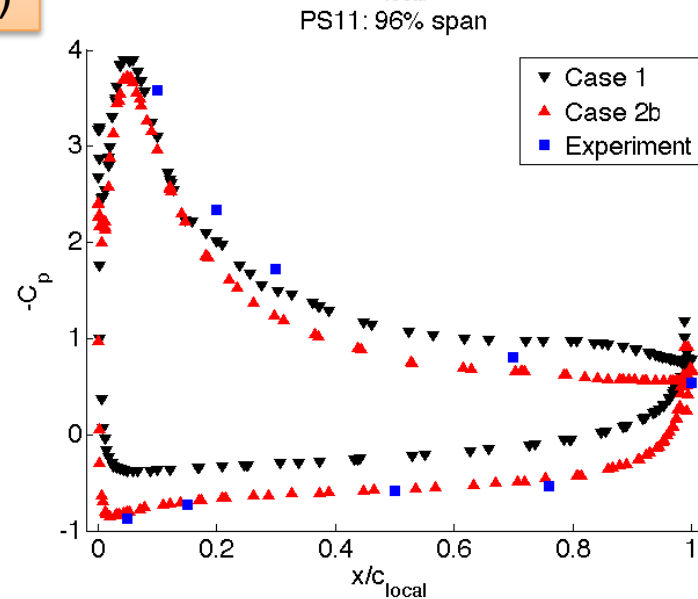
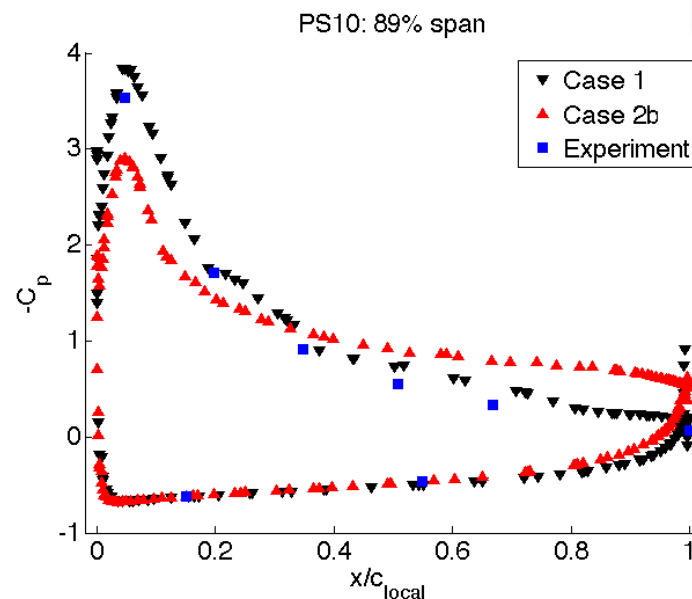
AoA =  
 $16^\circ$   
(Main  
wing)



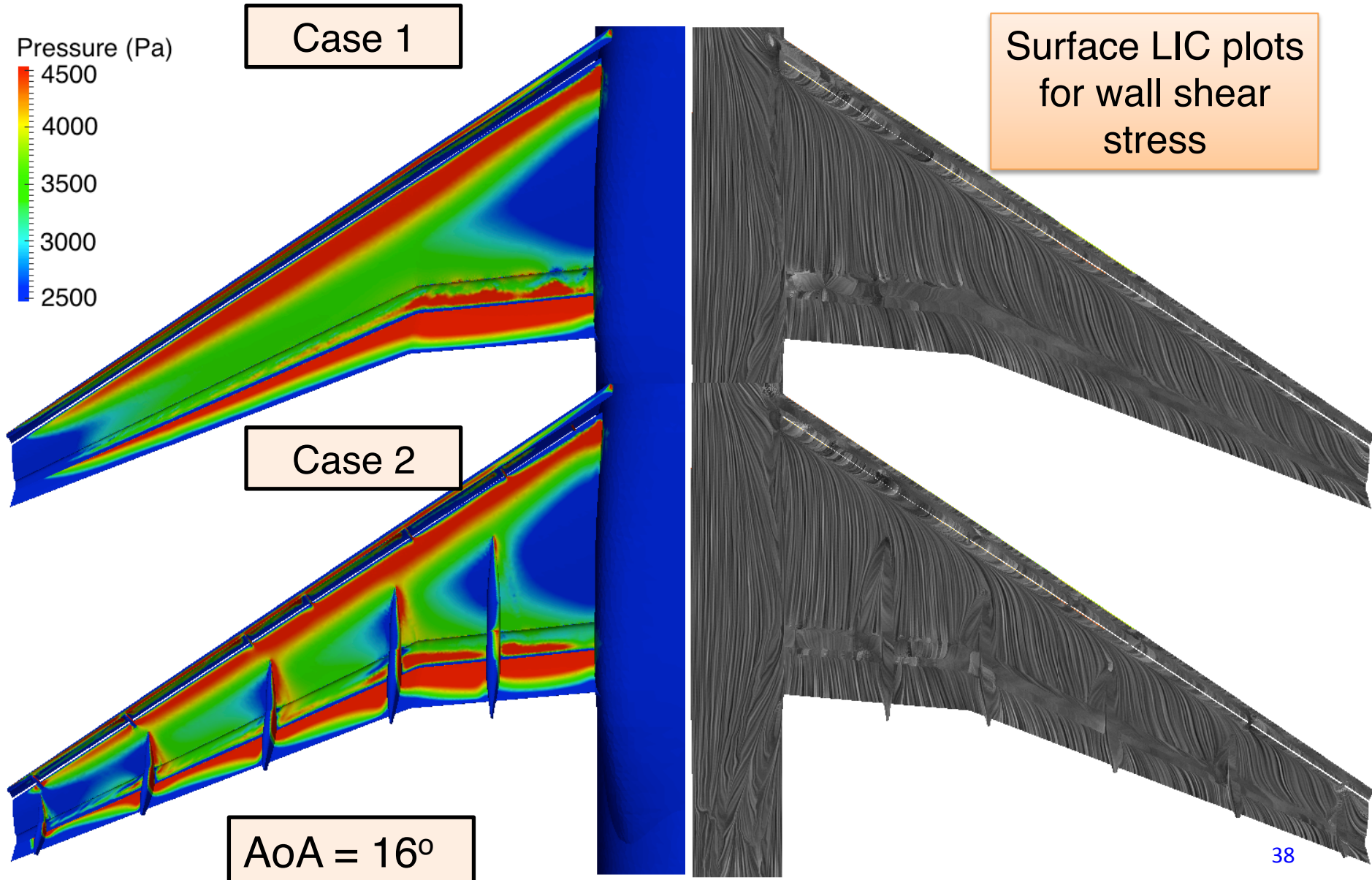
# Case 2b: Effect of brackets



AoA =  
16° (Flap  
element)



# Case 2a: Pressure and LIC





- Overall reasonable agreement with the experimental data
- Higher angles of attack show sensitiveness to the time step size (unsteady behavior might need better turbulence modeling)
- Good velocity profiles with capturing of wakes!
- Drag is over predicted at higher angles of attack.
- Effects of brackets:
  - Lower lift, higher drag
  - Slight effect on  $C_p$ , pressure peaks under predicted

- More adaptive passes to reach adaptive grid independent solutions (need parallel adaptivity)
- Adaptive DES simulations of Case 2a at  $7^\circ$ ,  $18.5^\circ$ ,  $21^\circ$  AoA on massively parallel systems to capture unsteadiness
- Taking part in future prediction workshops



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**THANK YOU!**